

SELF-CONSISTENT MHD SIMULATIONS OF THE LOCAL ISM

Synthetic Polarized Dust Emission

CHANG-GOO KIM

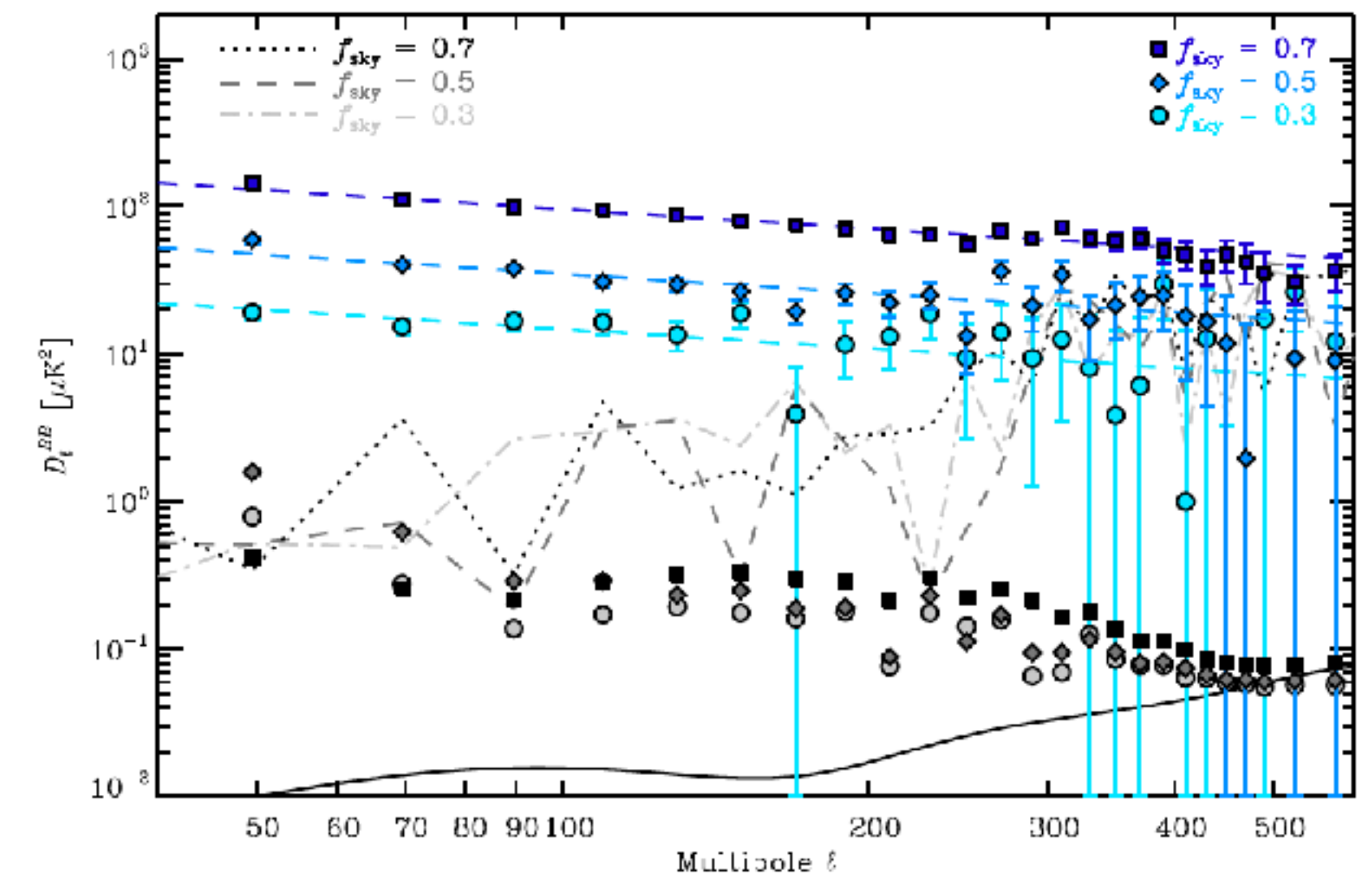
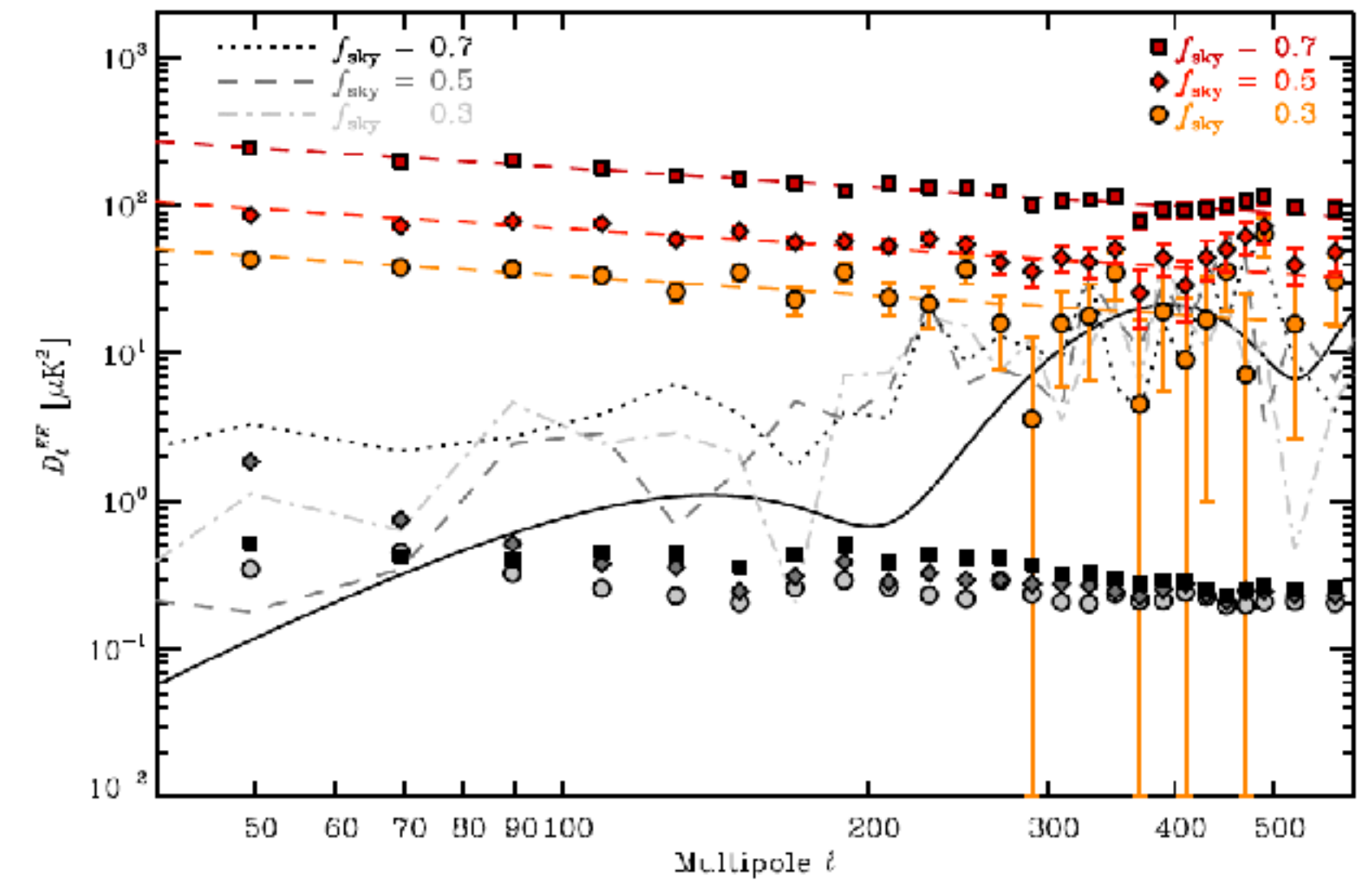
Center for Computational Astrophysics, Flatiron Institute
Department of Astrophysical Sciences, Princeton University

with Eve Ostriker and Steve Choi (Princeton)

Is this observation consistent with MHD turbulence?

Is this general property of the diffuse ISM?

What physical conditions do we need to model?

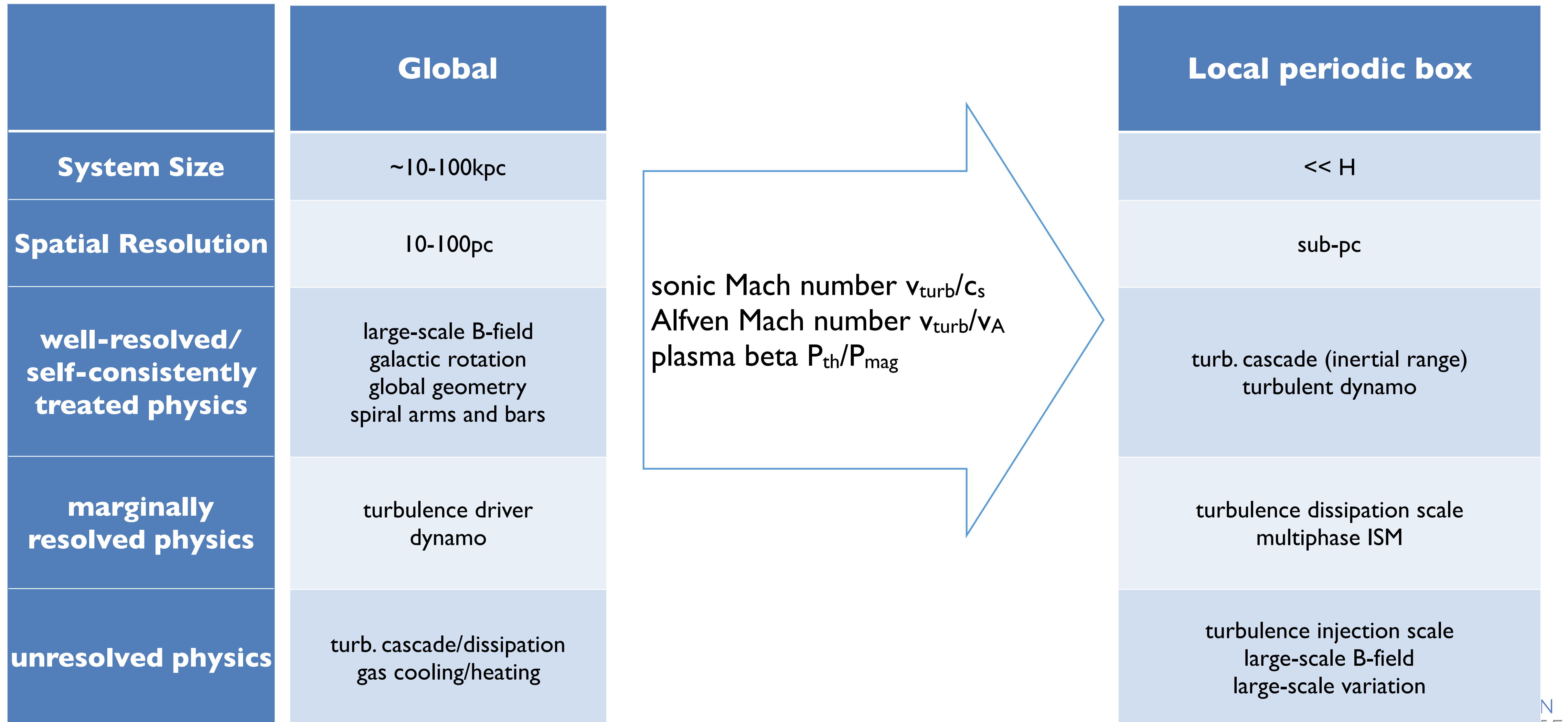


MHD simulations

	Global
System Size	~10-100kpc
Spatial Resolution	10-100pc
well-resolved/ self-consistently treated physics	large-scale B-field galactic rotation global geometry spiral arms and bars
marginally resolved physics	turbulence driver dynamo
unresolved physics	turb. cascade/dissipation gas cooling/heating

Local periodic box
<< H
sub-pc
turb. cascade (inertial range) turbulent dynamo
turbulence dissipation scale multiphase ISM
turbulence injection scale large-scale B-field large-scale variation

MHD simulations



MHD simulations

	Global	Local stratified box	Local periodic box
System Size	~10-100kpc	$\ll R$	$< H$
Spatial Resolution	10-100pc	a few pc	sub-pc
well-resolved/ self-consistently treated physics	large-scale B-field galactic rotation global geometry spiral arms and bars	turbulence driver multiphase ISM vertical stratification	turb. cascade (inertial range) turbulent dynamo
marginally resolved physics	turbulence driver dynamo	turbulence cascade (inertial range) galactic differential rotation dynamo	turbulence dissipation scale multiphase ISM
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MHD simulations

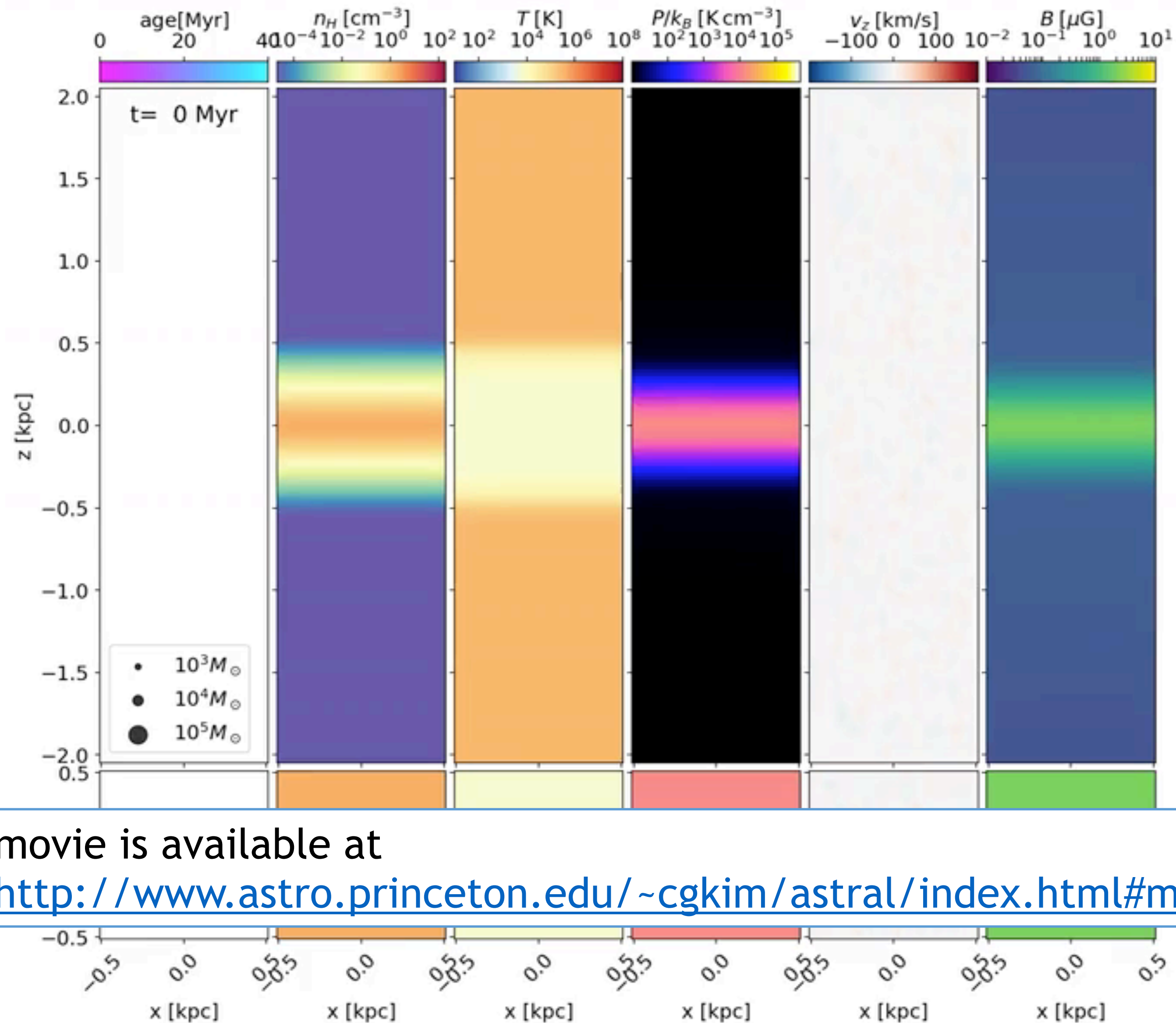
Kim & Ostriker 2017

System Size
Spatial Resolution
well-resolved/ self-consistently treated physics
marginally resolved physics
unresolved physics

TIGRESS Three-phase ISM in Galaxies Resolving Evolution with Star formation and Supernova feedback
1x1x(2-8) kpc
(2, 4, 8) pc
turbulence driver (star formation — SN) multiphase ISM vertical stratification
turbulence cascade (inertial range) galactic differential rotation mean-field + turbulent dynamo
turbulence dissipation global geometry

Self-Regulation of key physical properties

Kim & Ostriker 2017



movie is available at
<http://www.astro.princeton.edu/~cgkim/astral/index.html#movie>

TIGRESS

Three-phase ISM in Galaxies Resolving Evolution with Star formation and Supernova feedback

1x1x(2-8) kpc

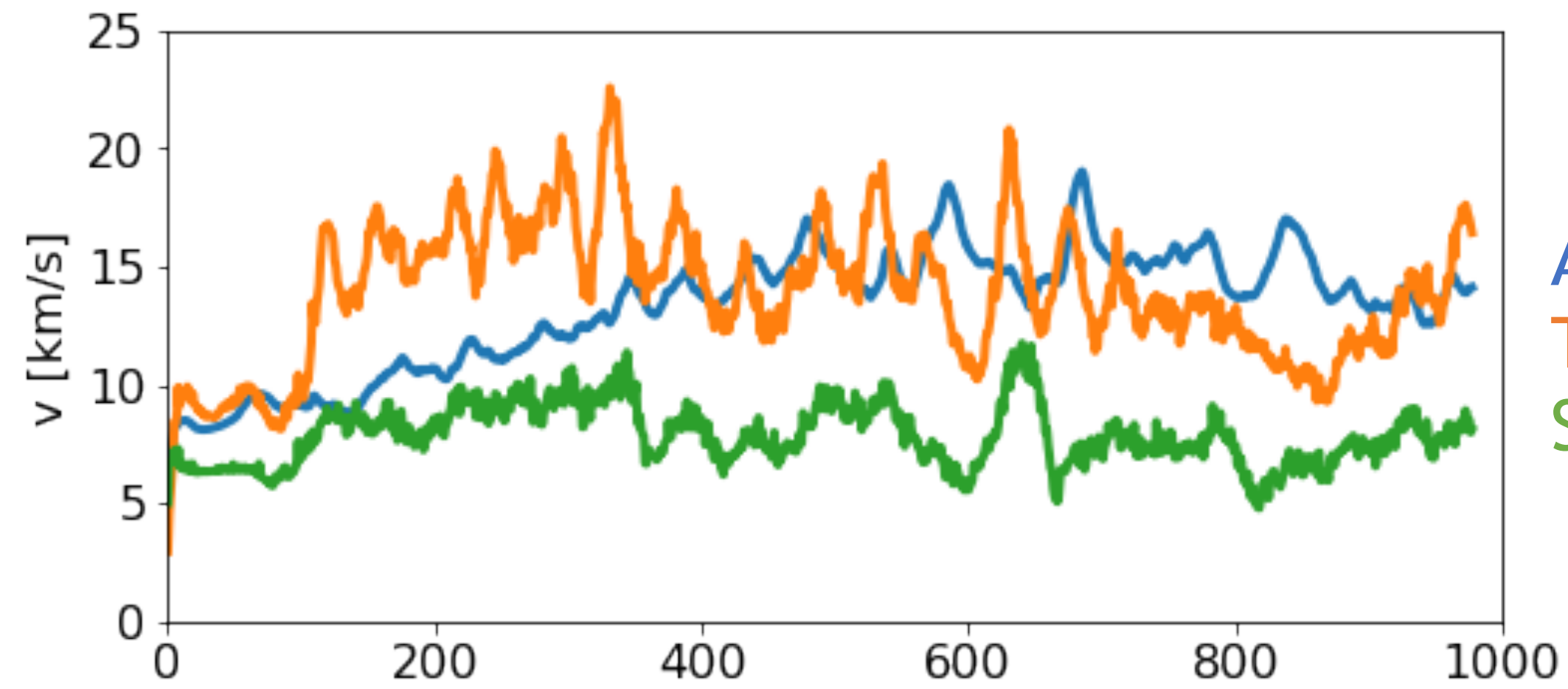
(2, 4, 8) pc

**turbulence driver
 (star formation — SN)**
 multiphase ISM
 vertical stratification

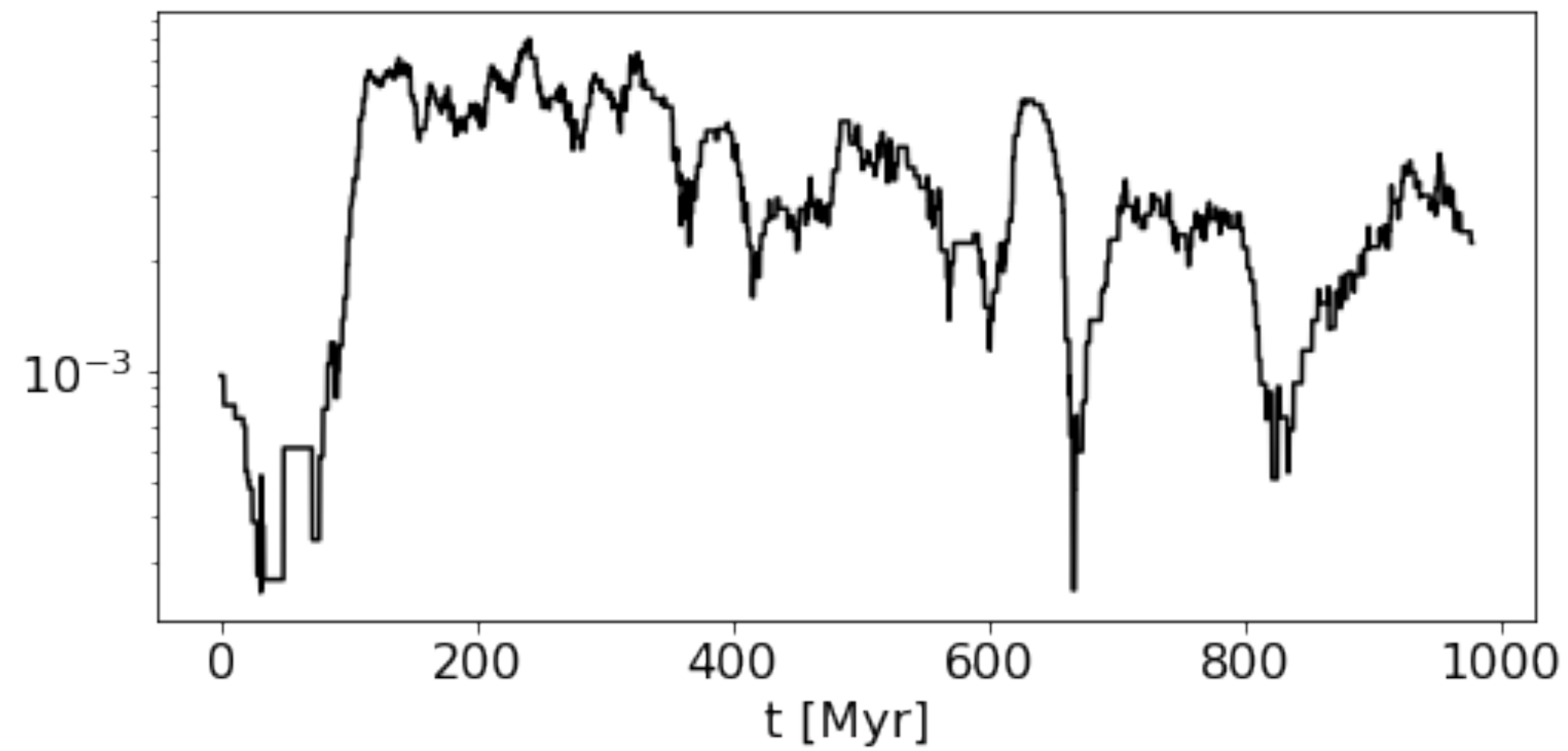
turbulence cascade (inertial range)
 galactic differential rotation
mean-field + turbulent dynamo

turbulence dissipation
 global geometry

Self-Regulation of key physical properties

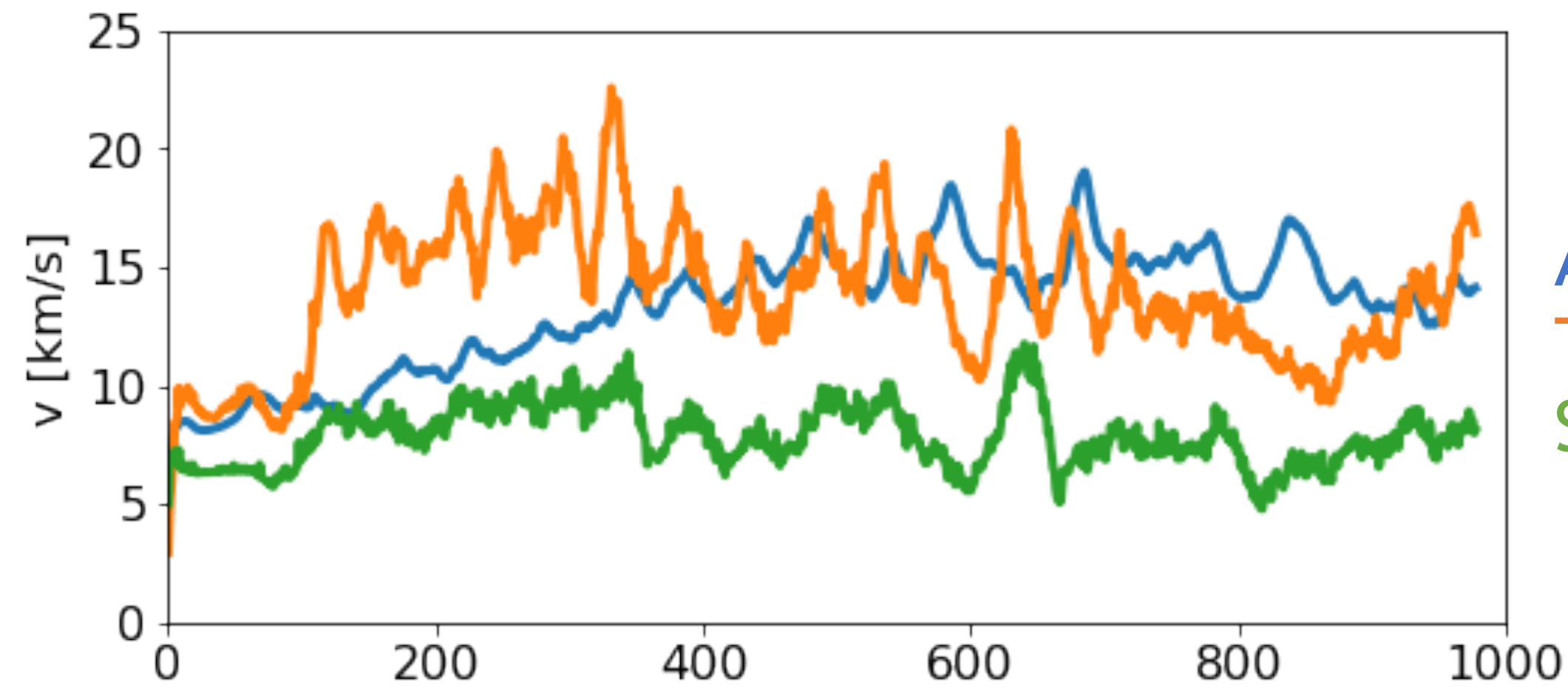


Alfven Velocity
Turbulent Velocity
Sound Speed

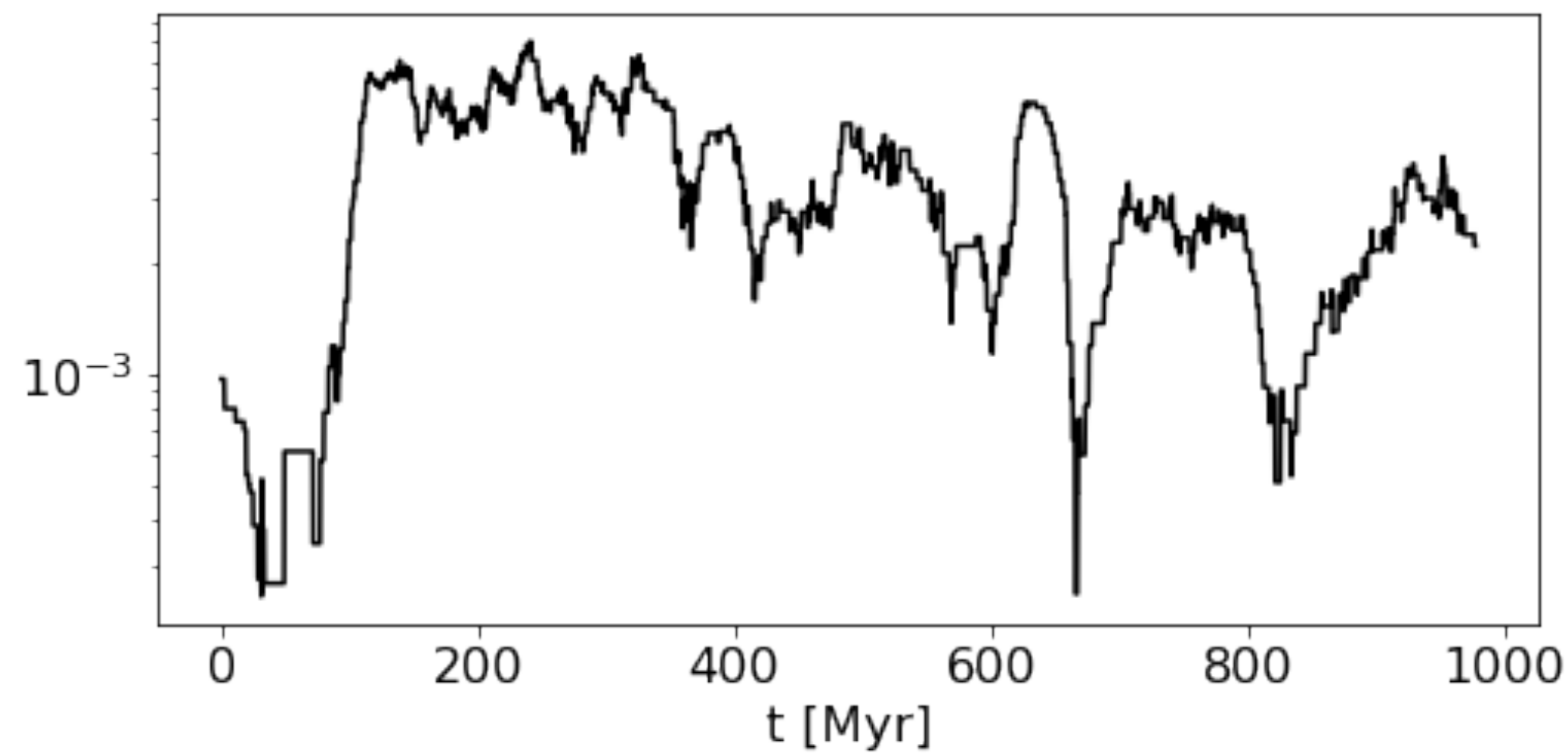


Σ_{SFR}
 $M_{\text{sun}}/\text{kpc}^2/\text{yr}$

Self-Regulation of key physical properties

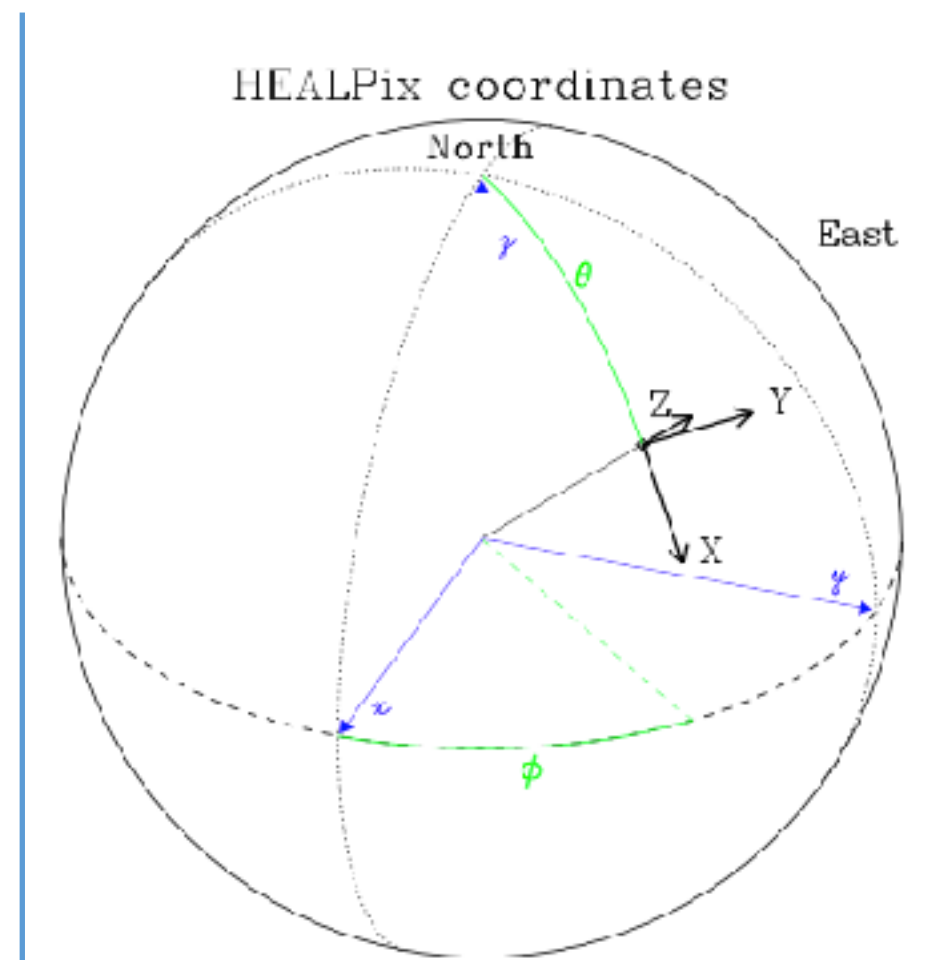


Alfven Velocity
Turbulent Velocity
Sound Speed



Σ_{SFR}
 $M_{\text{sun}}/\text{kpc}^2/\text{yr}$

3D data cube (ρ , v , B , P)



LOS data

Projection
Radiative transfer (LOS integration)

Polarized Dust map

all data will be available soon!

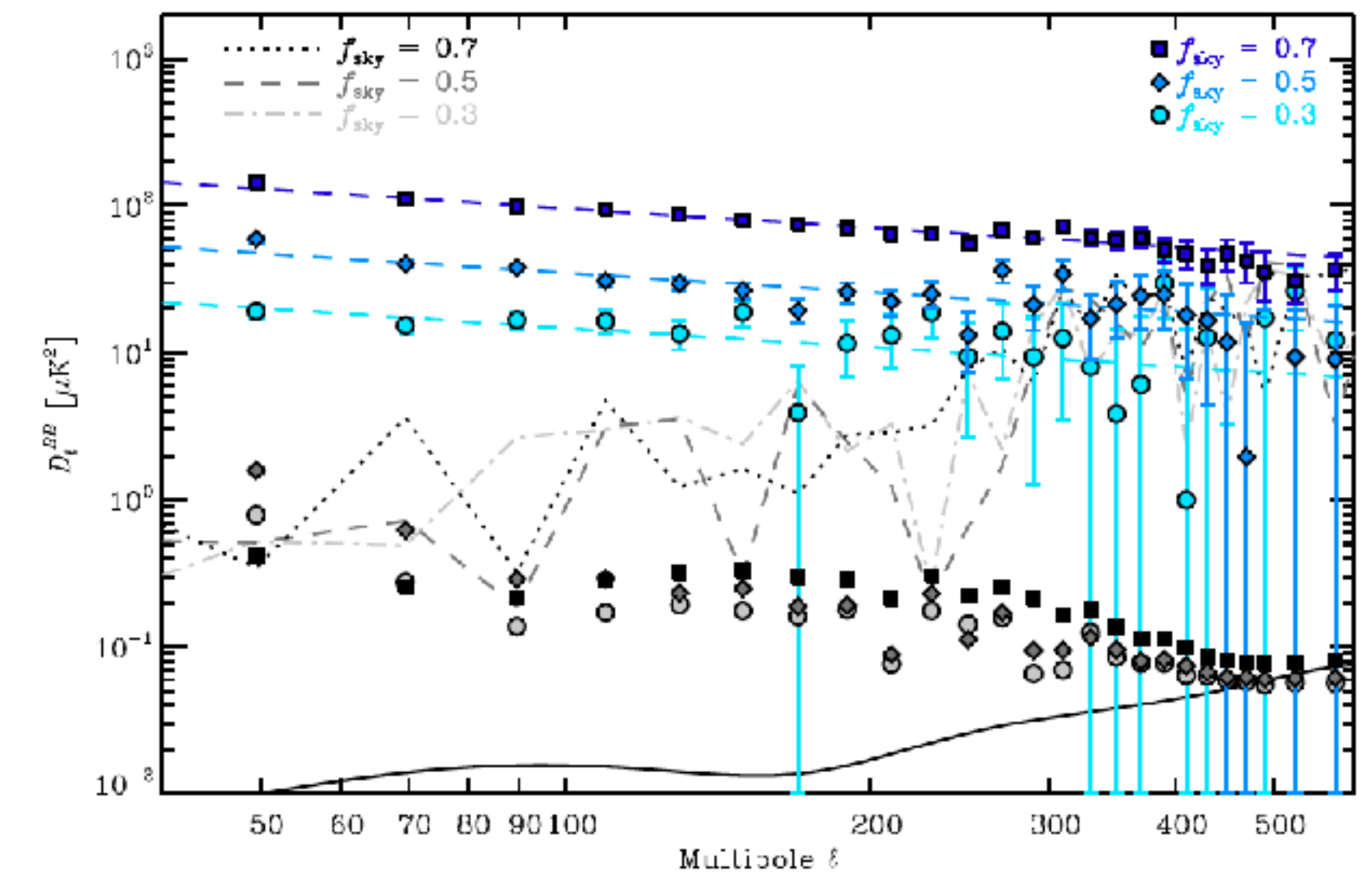
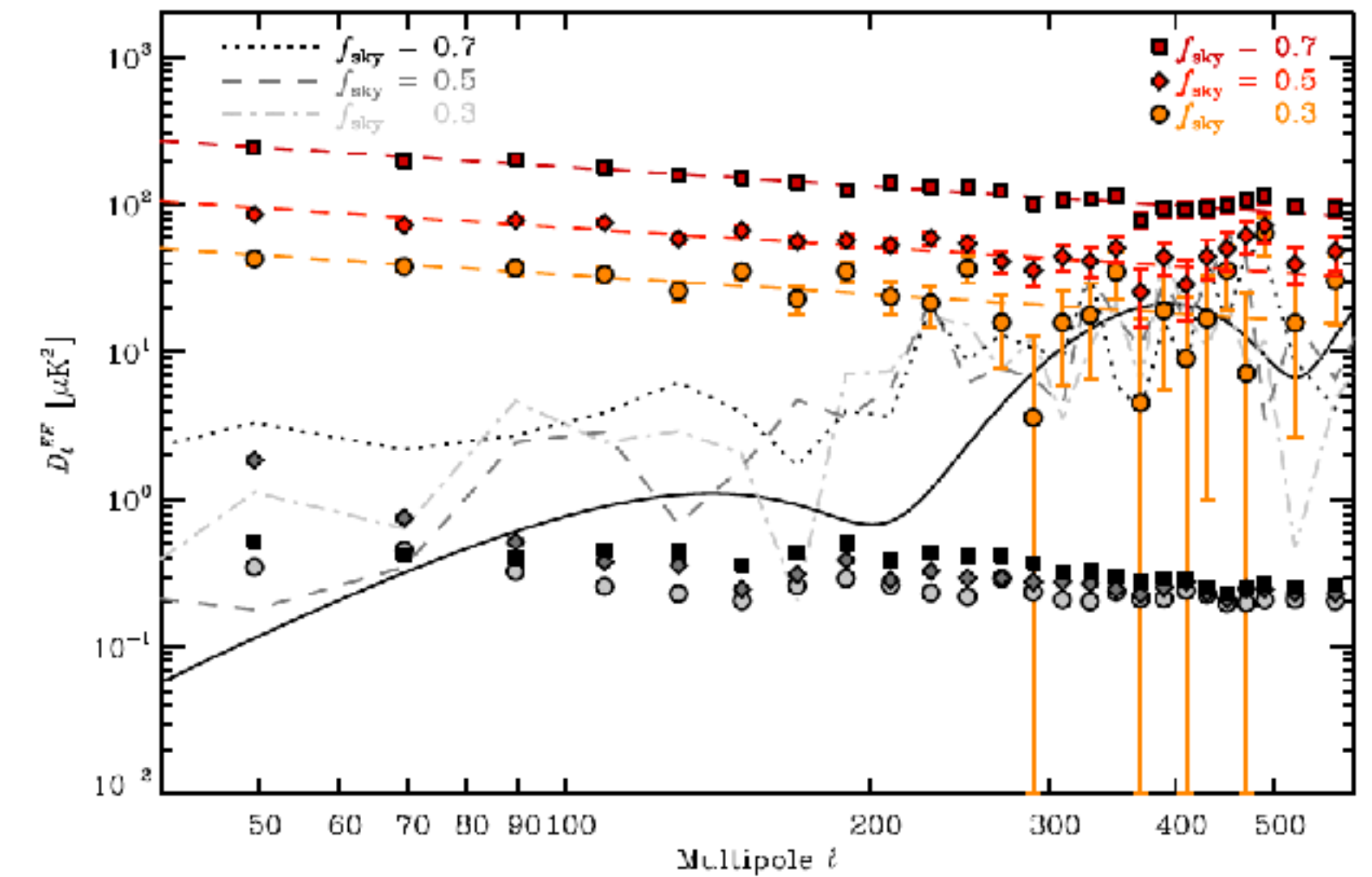
EE/BB ~ 2 ; TE > 0

PIP XXX (2016)

Is your simulation consistent with the observation?

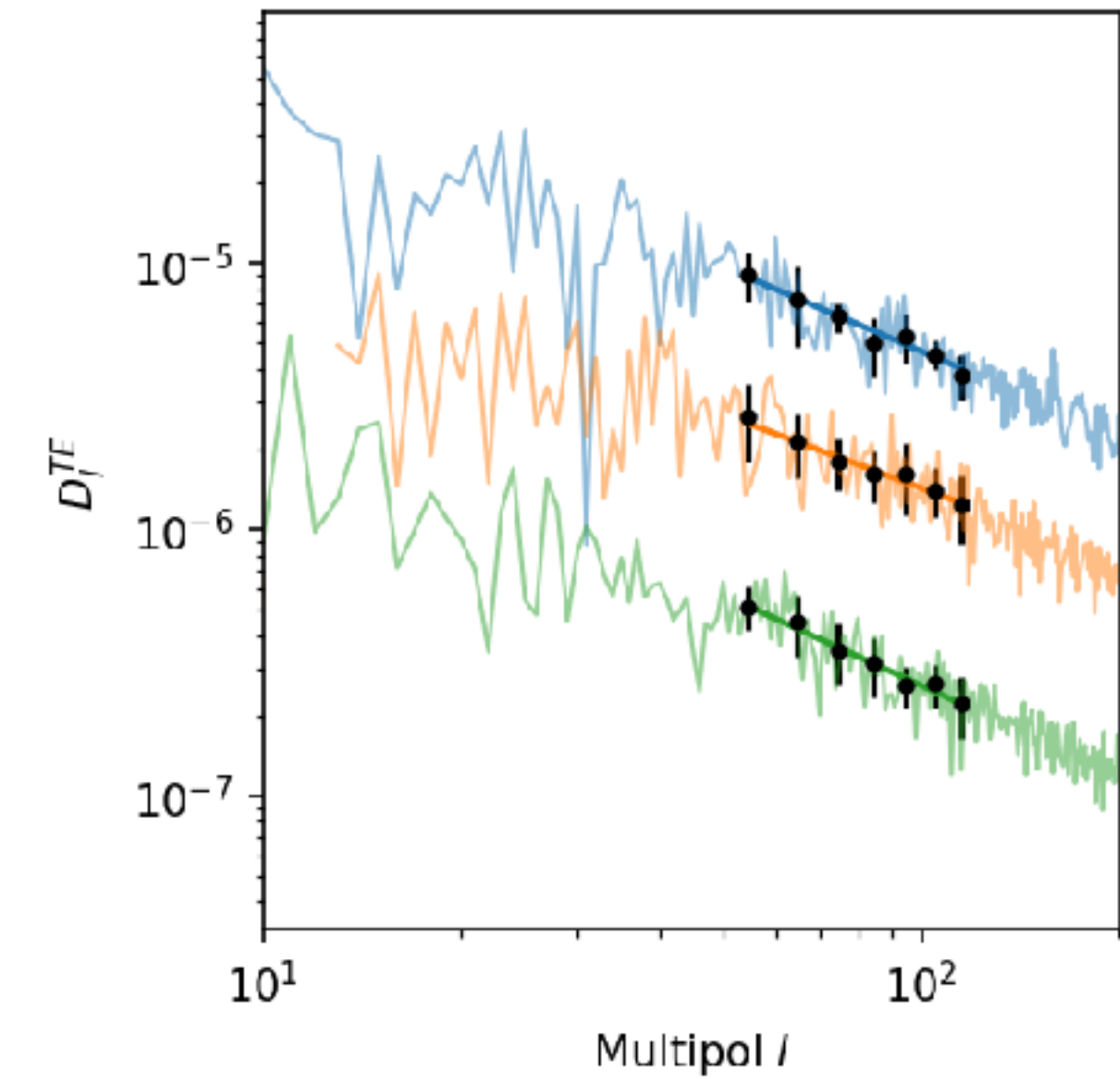
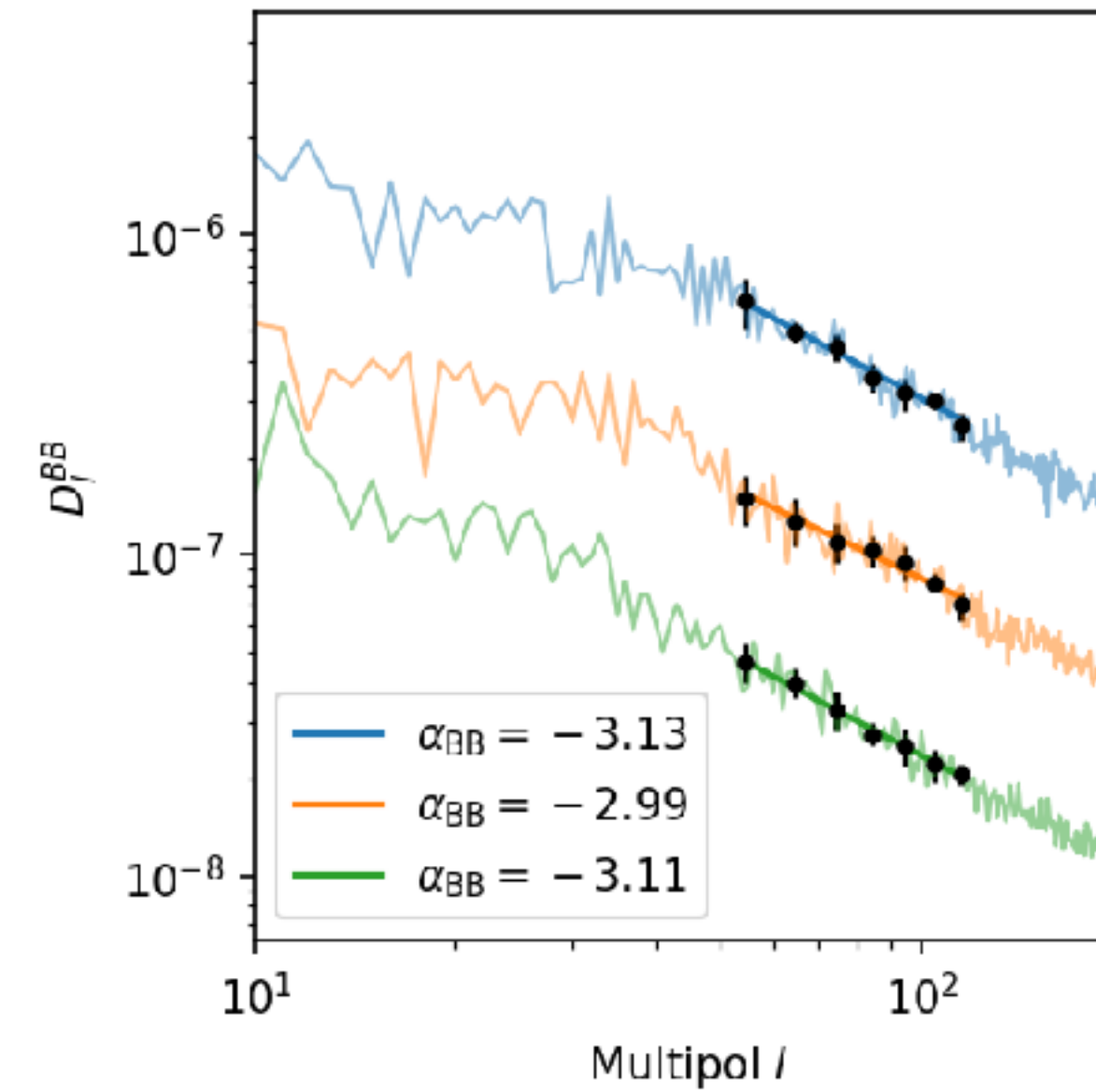
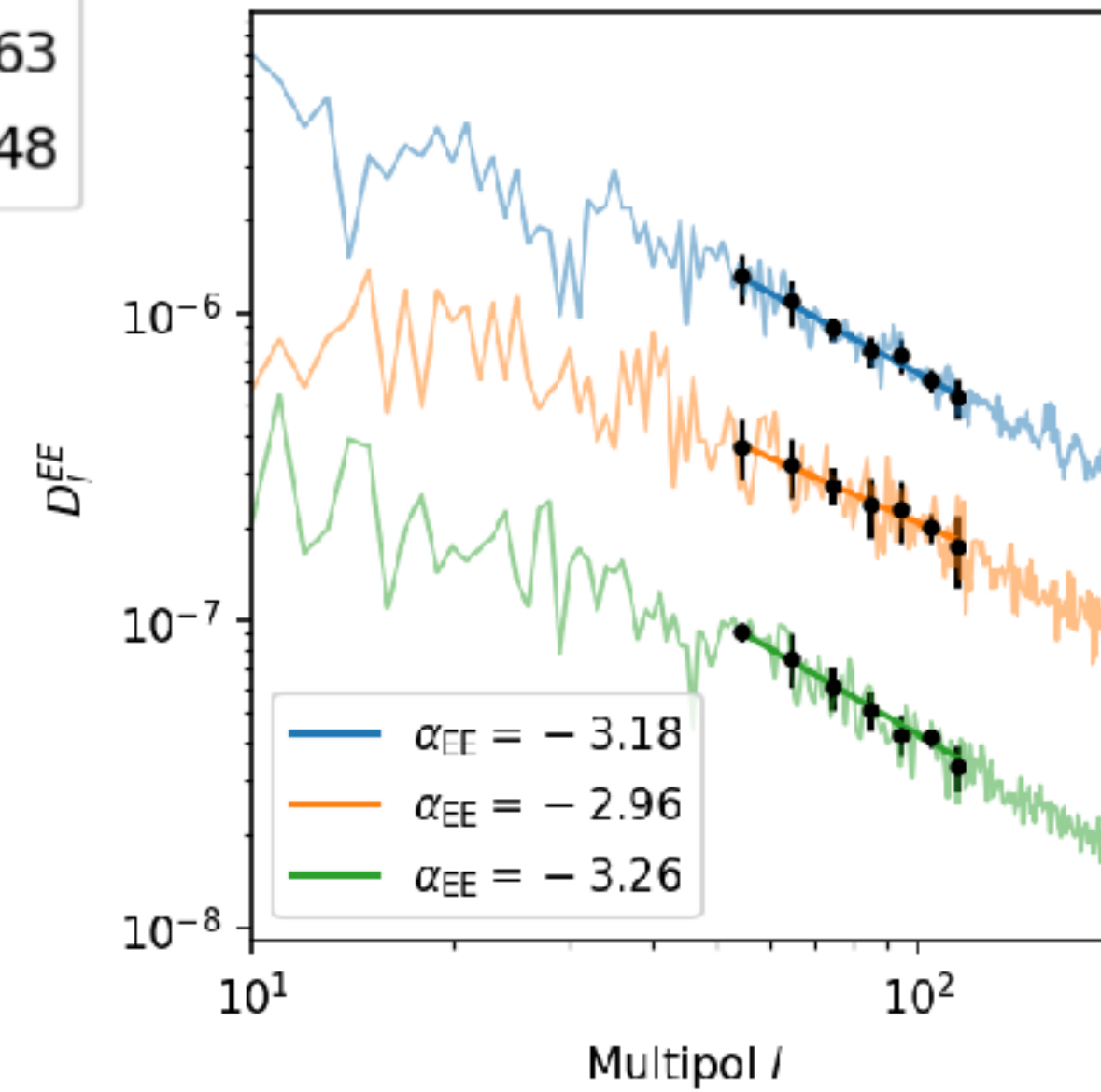
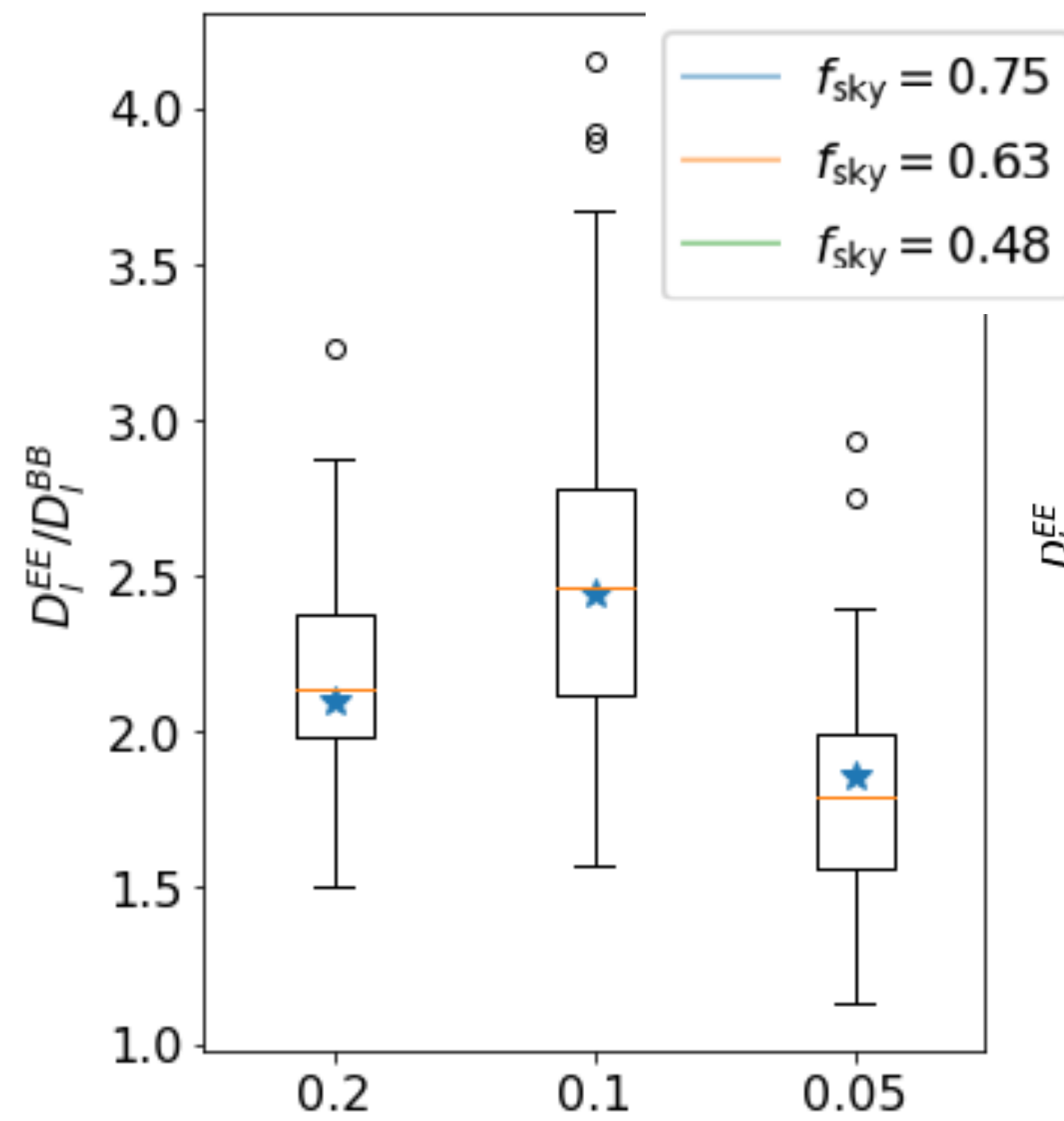
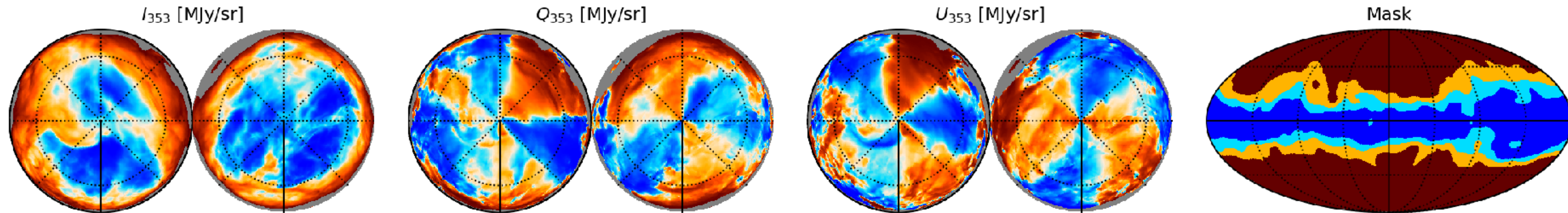
Does your ISM always look like this?

What conditions do you need?

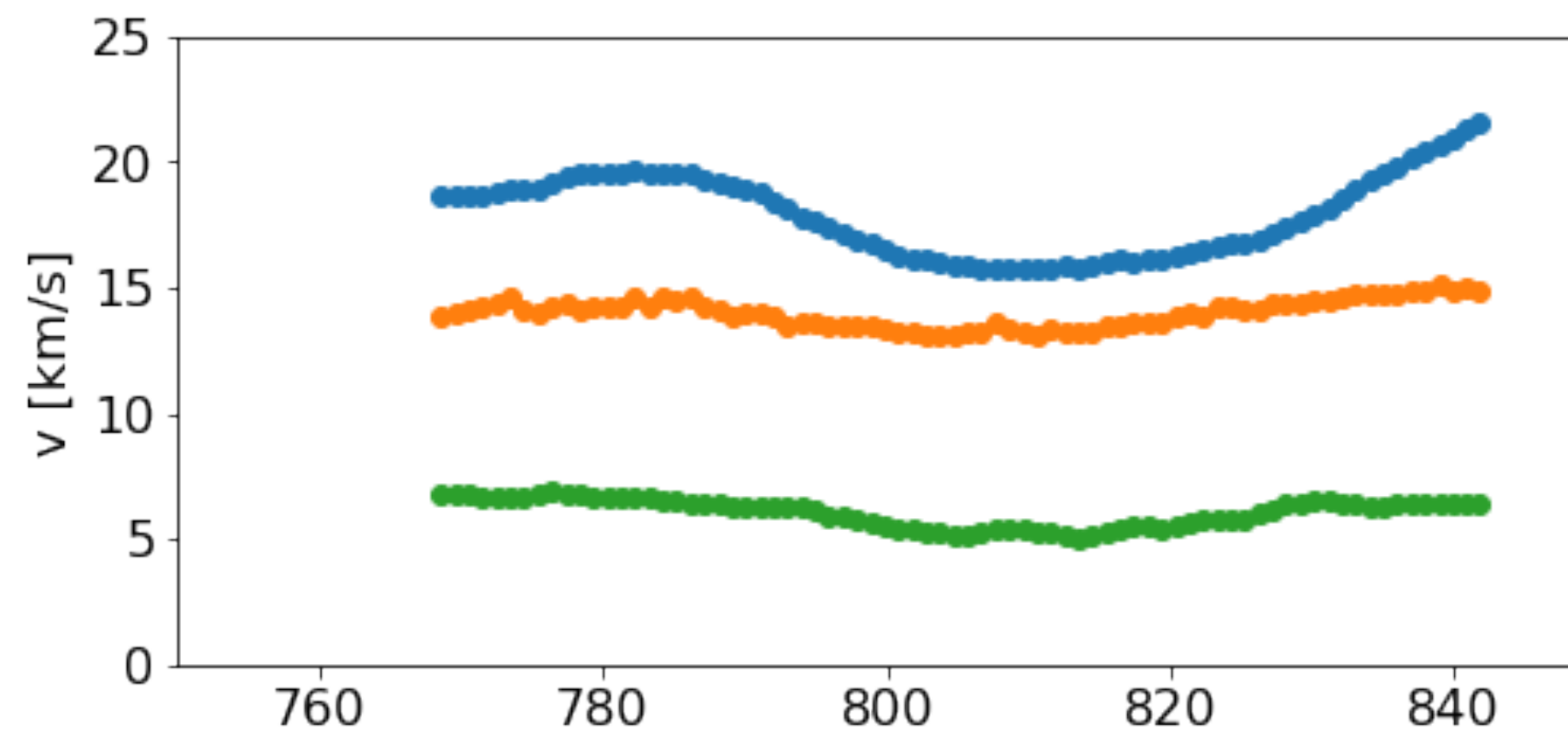
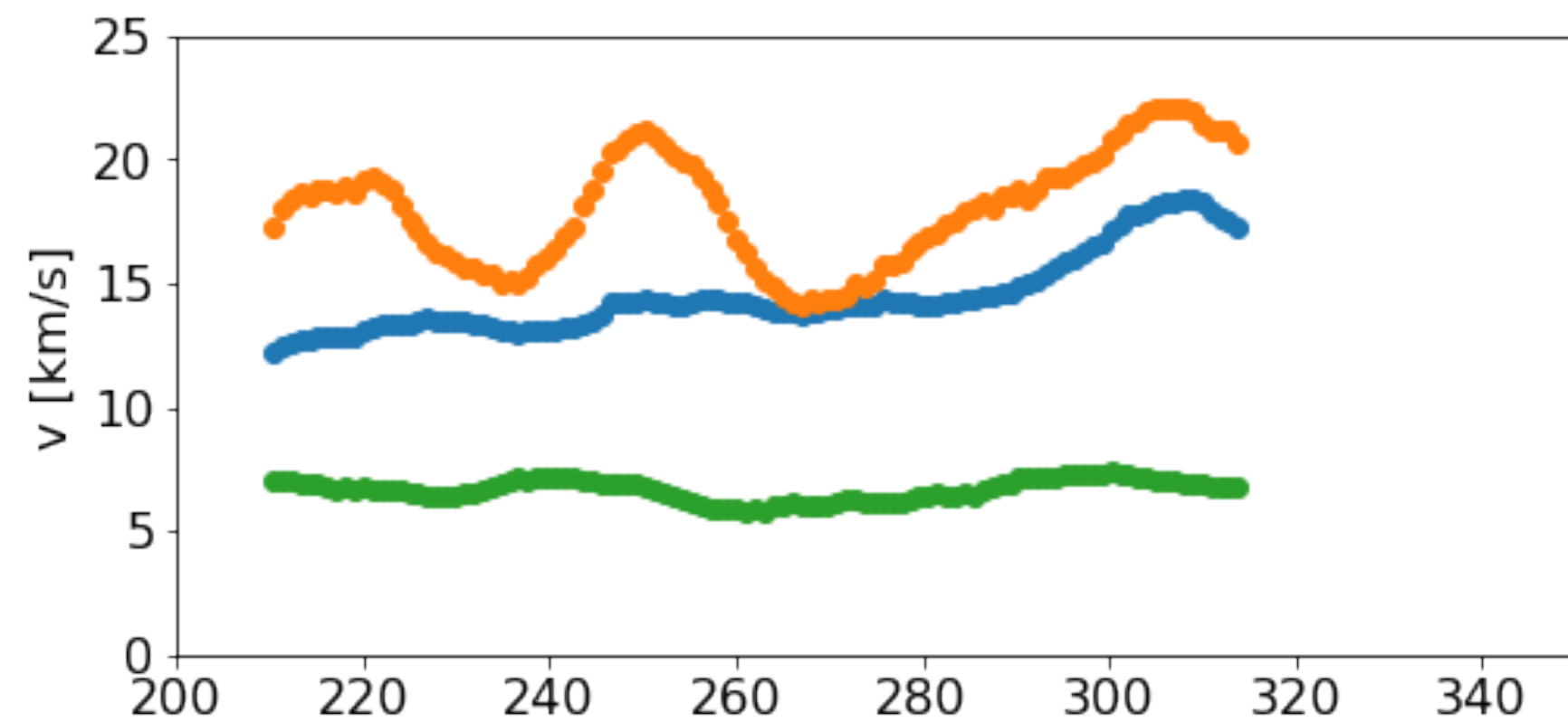


Is your simulation consistent with the observation?

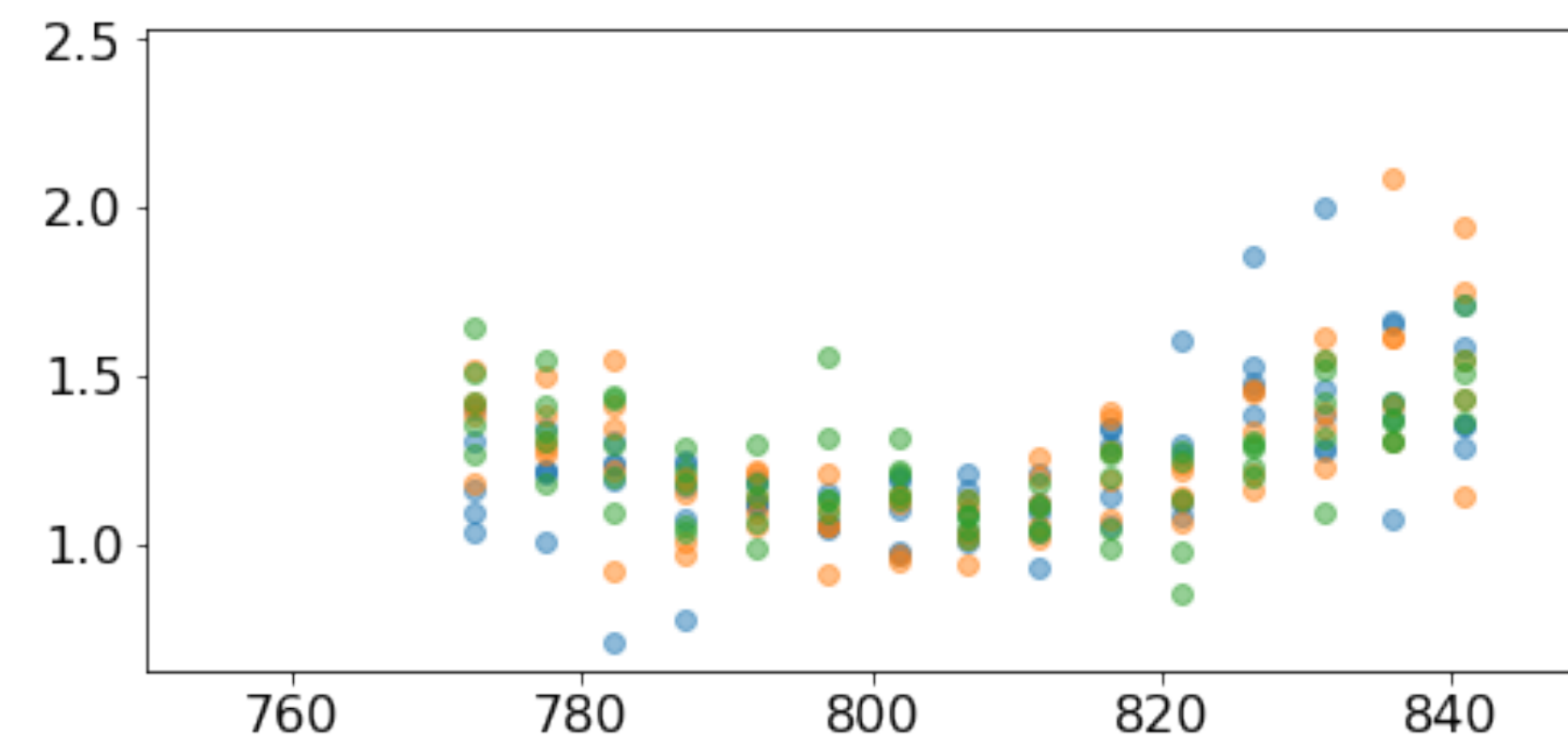
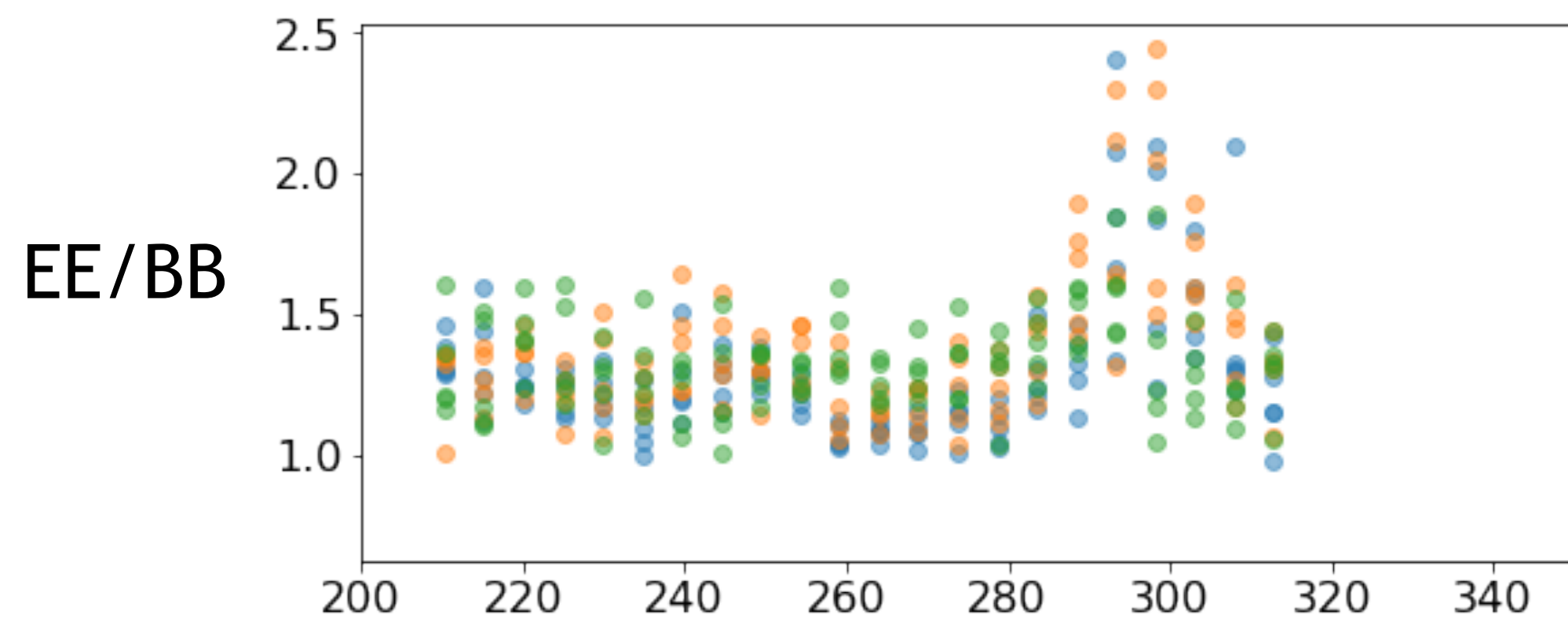
Yes! Not perfect, but consistent.



Does your ISM always look like this? No!



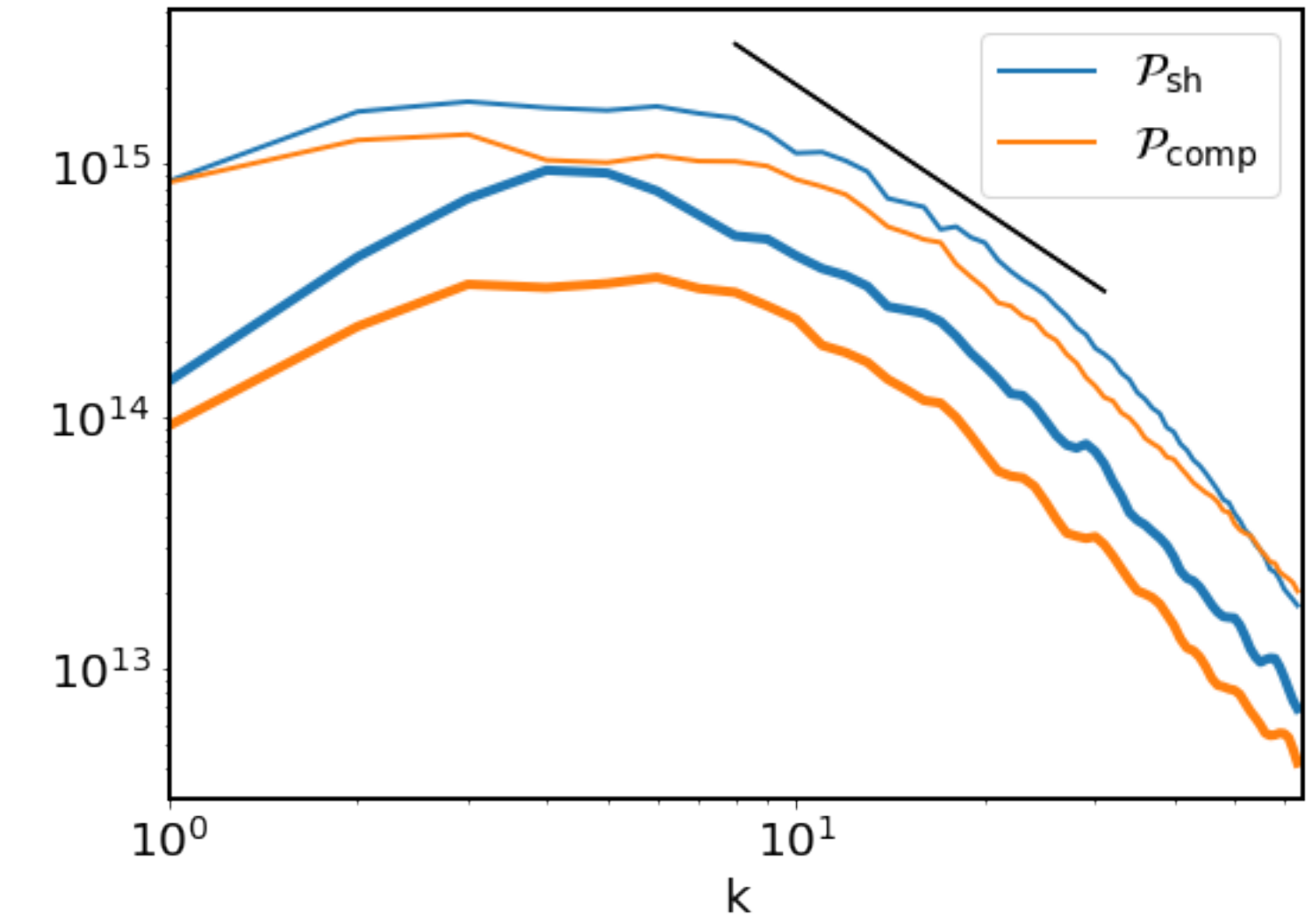
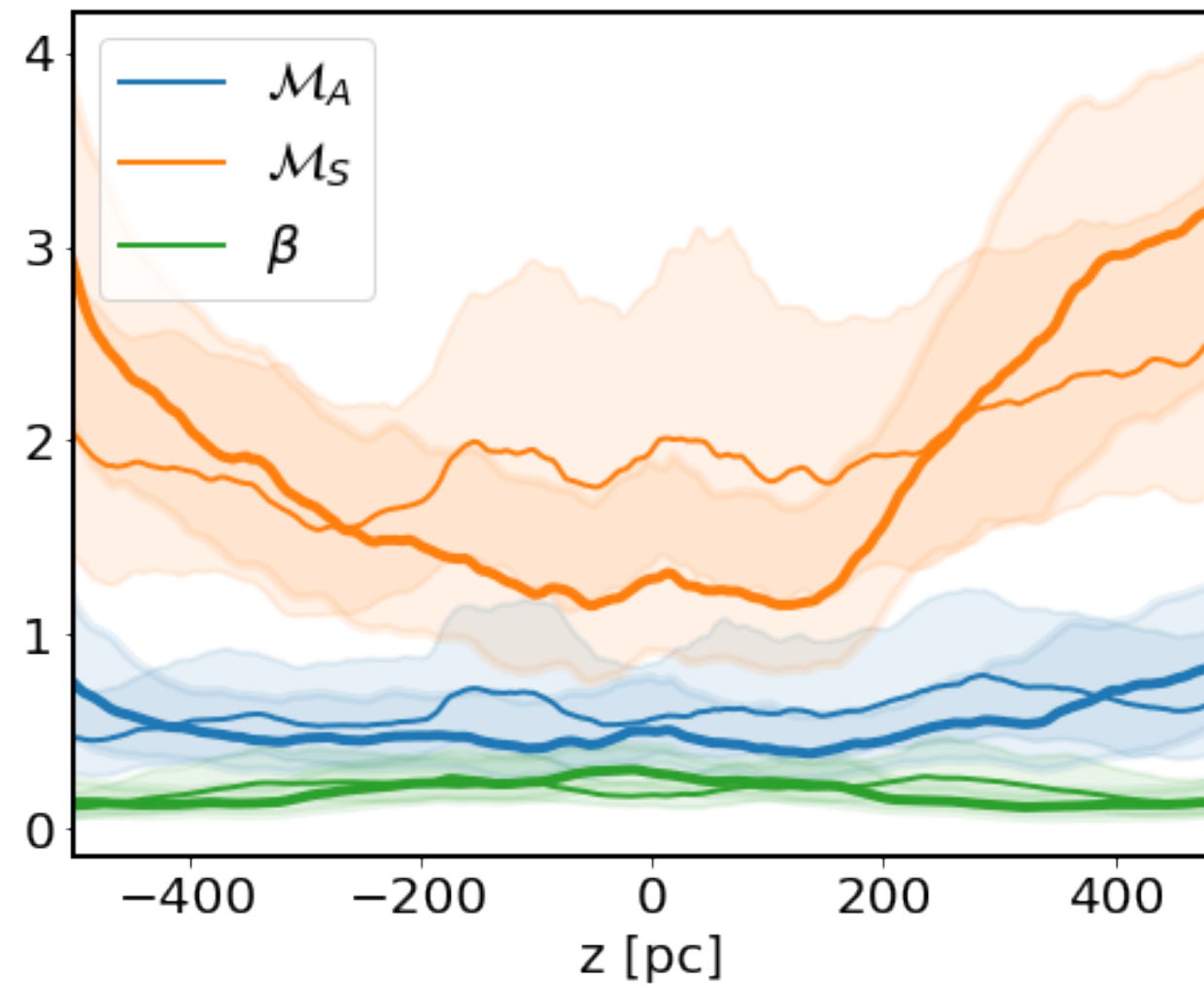
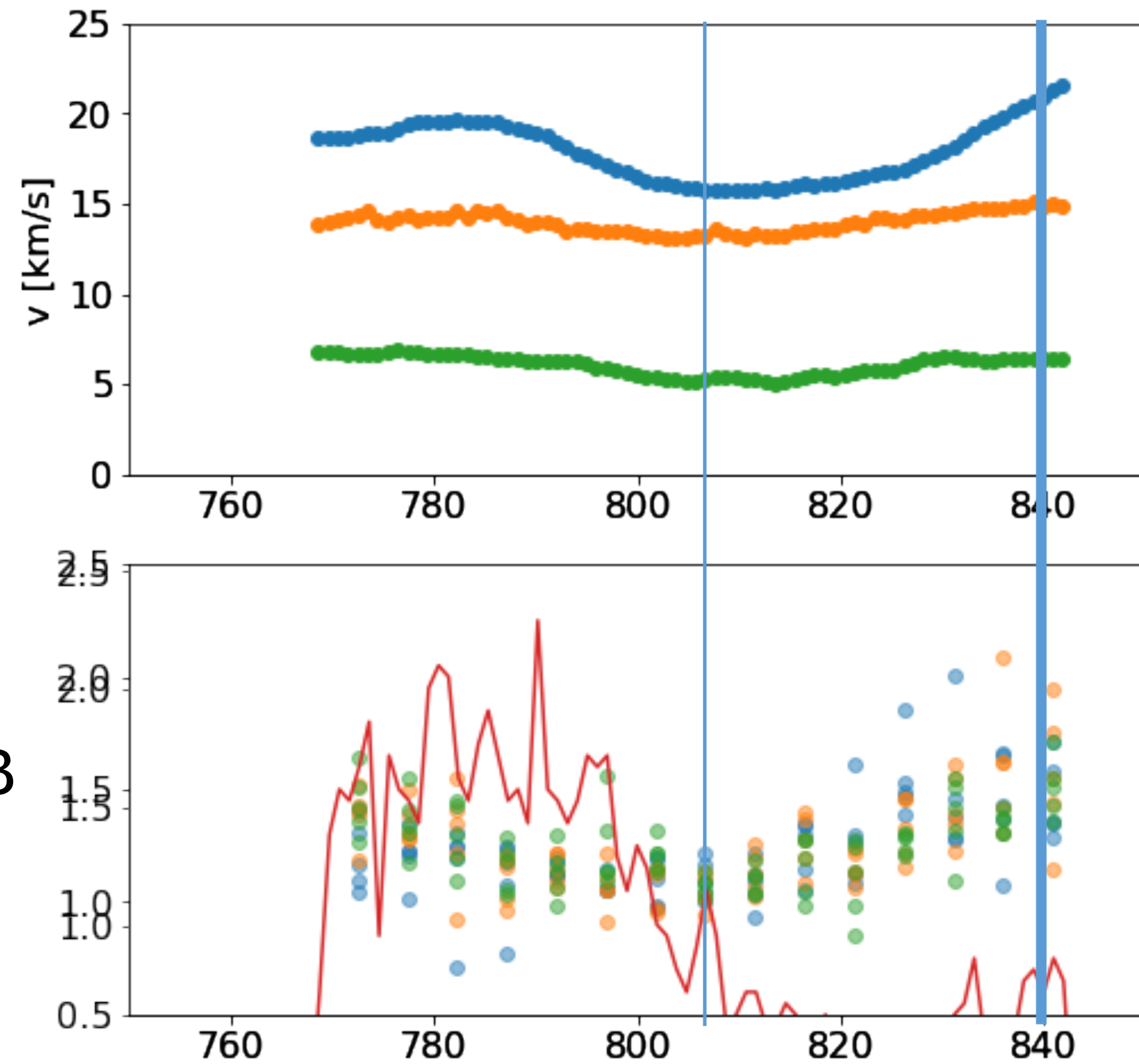
Alfven Velocity
Turbulent Velocity
Sound Speed



In fact, $EE/BB > 1$ is common, but $EE/BB \sim 2$ is not common in our simulation. Within the same realization, synthetic polarization maps can be very different (mask, observer's position).

What conditions do you need?

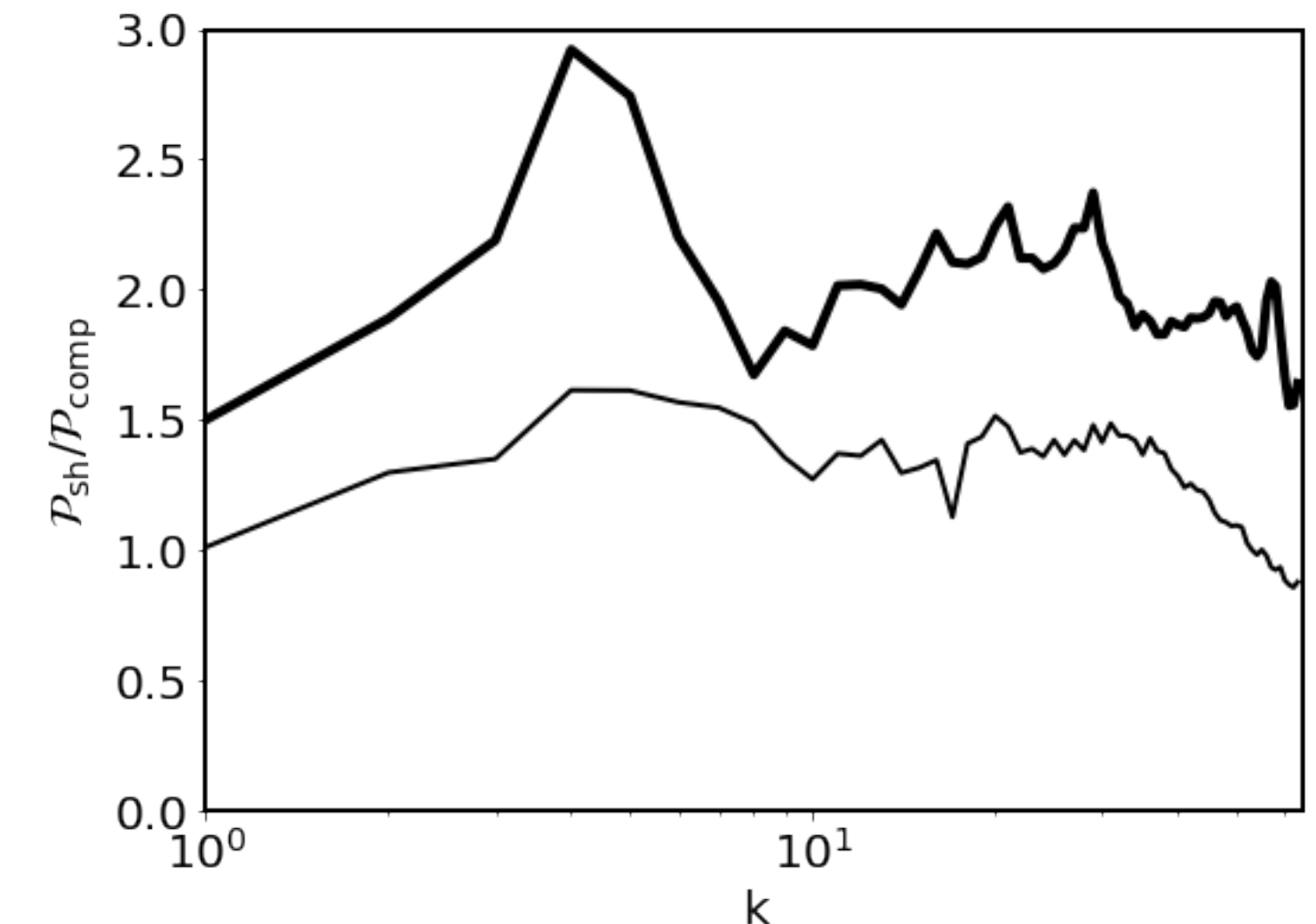
Well, I don't know yet. But, there are some hints!



EE/BB

$$v_{\text{shear}}^2(\mathbf{k}) = |\hat{\mathbf{k}} \times \mathbf{v}(\mathbf{k})|^2,$$

$$v_{\text{comp}}^2(\mathbf{k}) = |\hat{\mathbf{k}} \cdot \mathbf{v}(\mathbf{k})|^2.$$



- sub-Alfvénic turbulence does not guarantee high EE/BB-ratio
- Intermittency is important!

SN explosions — turbulence driving (mostly compressive) — generate shear component (colliding shells, background shear)

Is your simulation consistent with the observation?

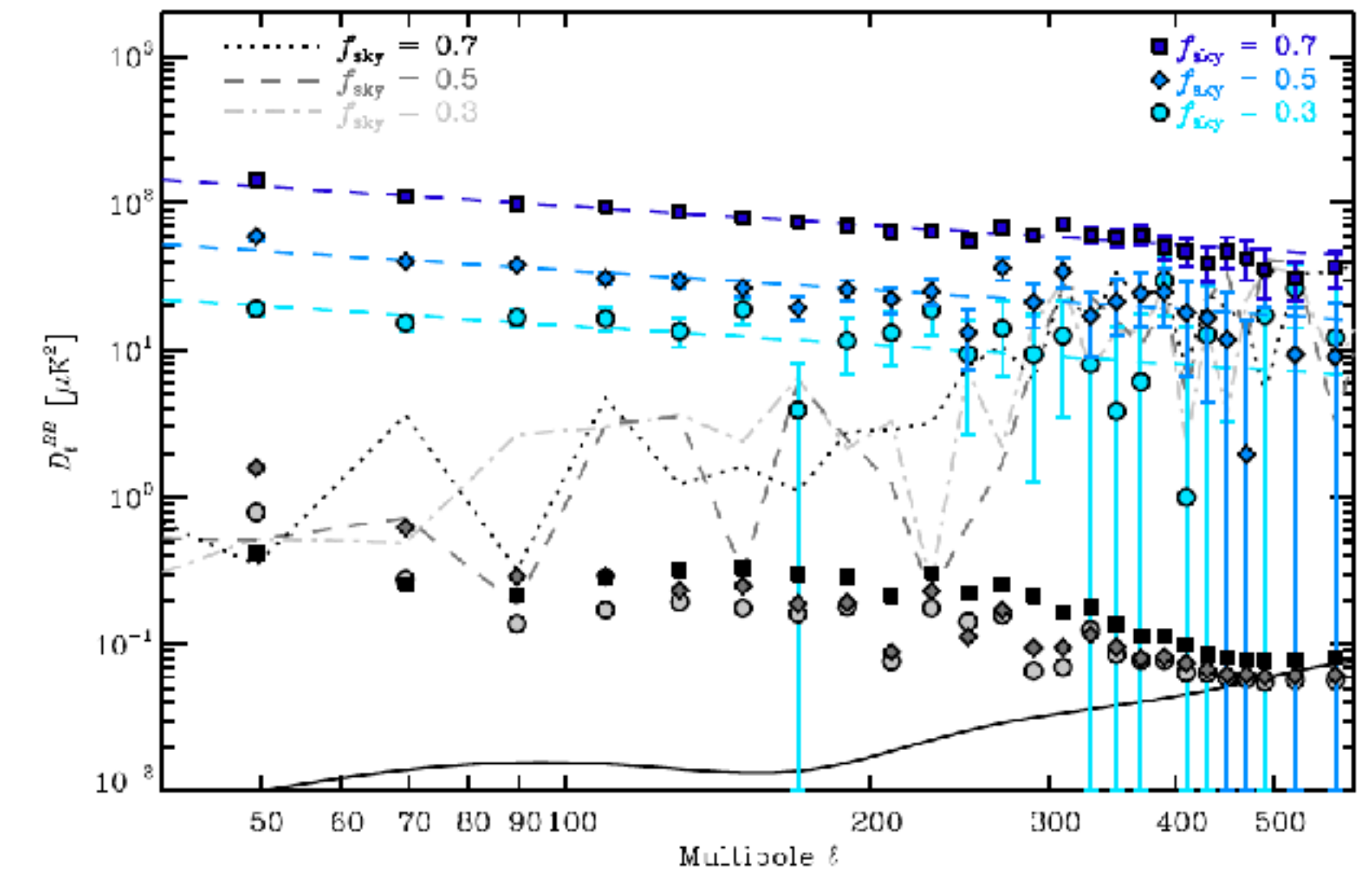
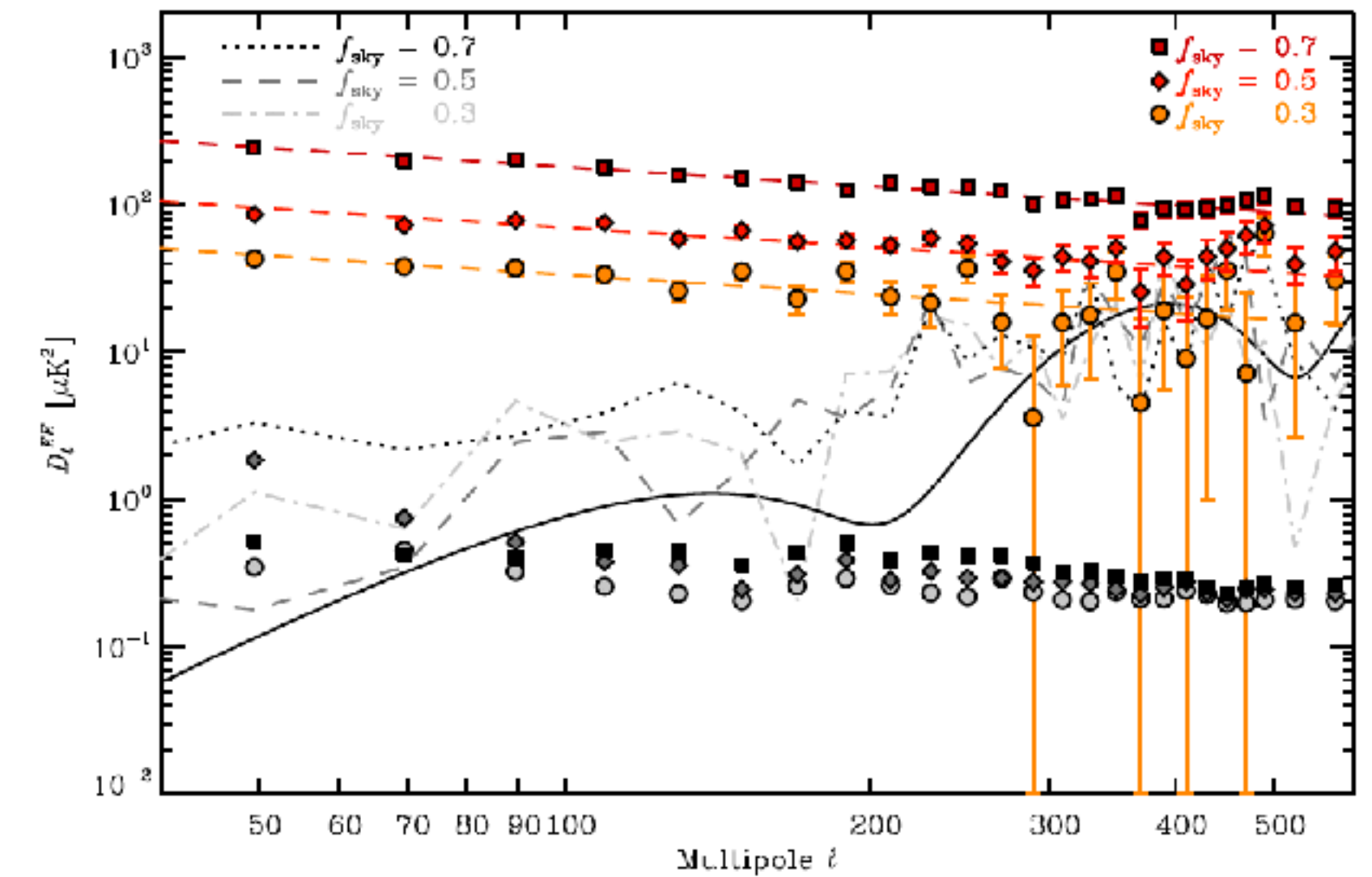
Yes! Not perfect, but consistent.

Does your ISM always look like this?

No! EE/BB > 1, but EE/BB ~ 2 is rare. TE is positive.

What conditions do you need?

Well, I don't know yet. But, there are some hints!



Is your simulation consistent with the observation?

Yes! Not perfect, but consistent.

Does your ISM always look like this?

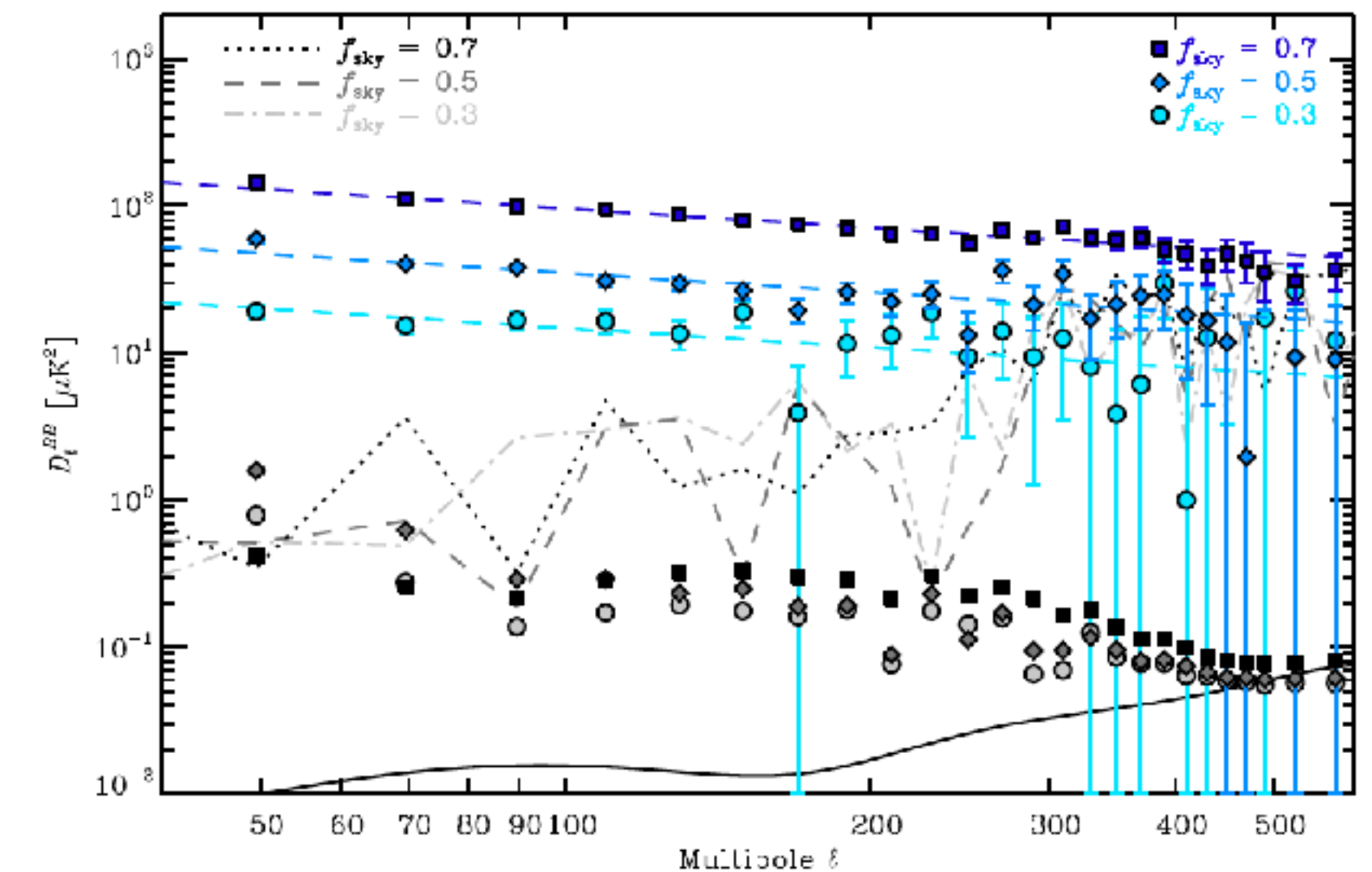
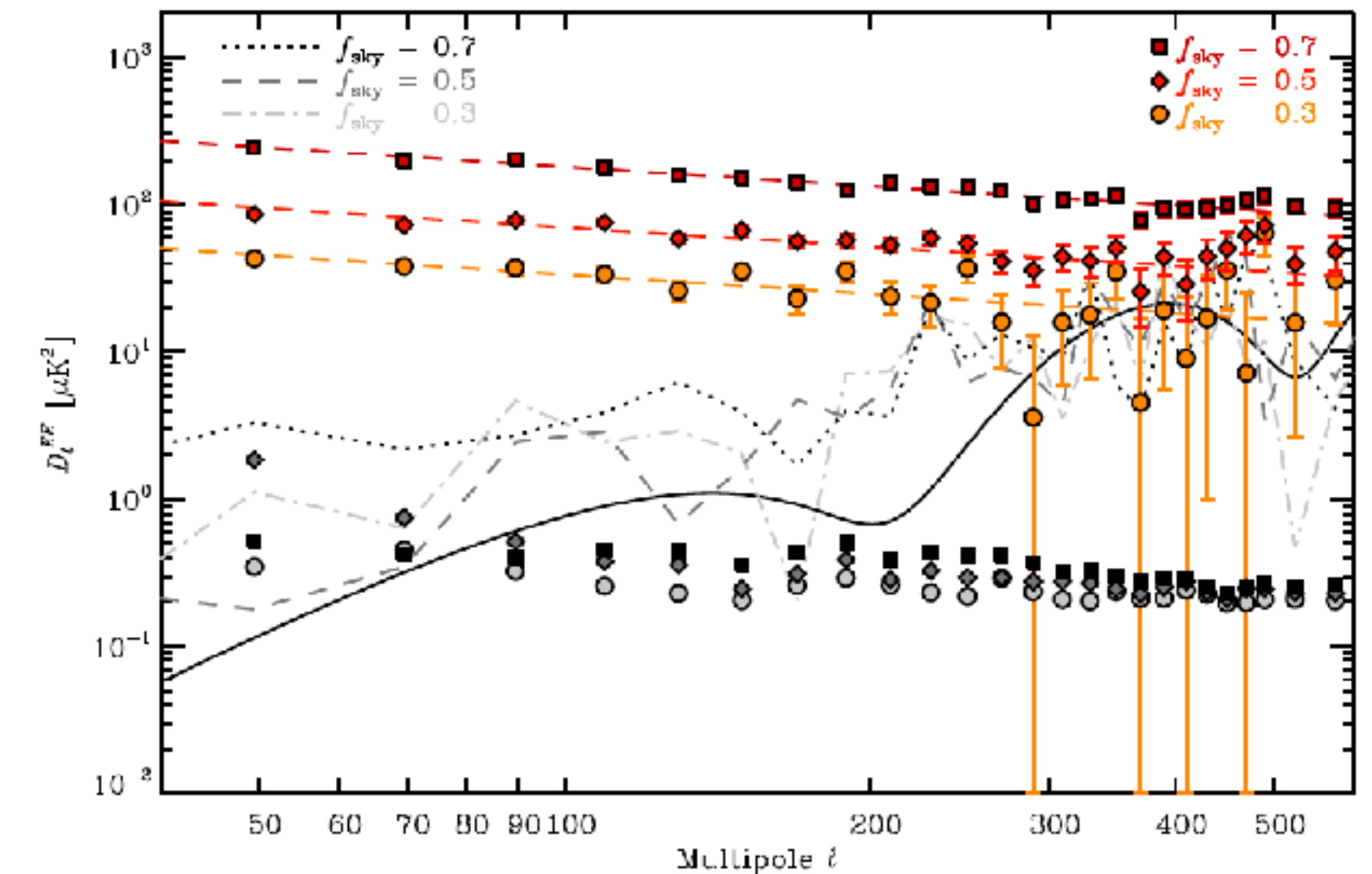
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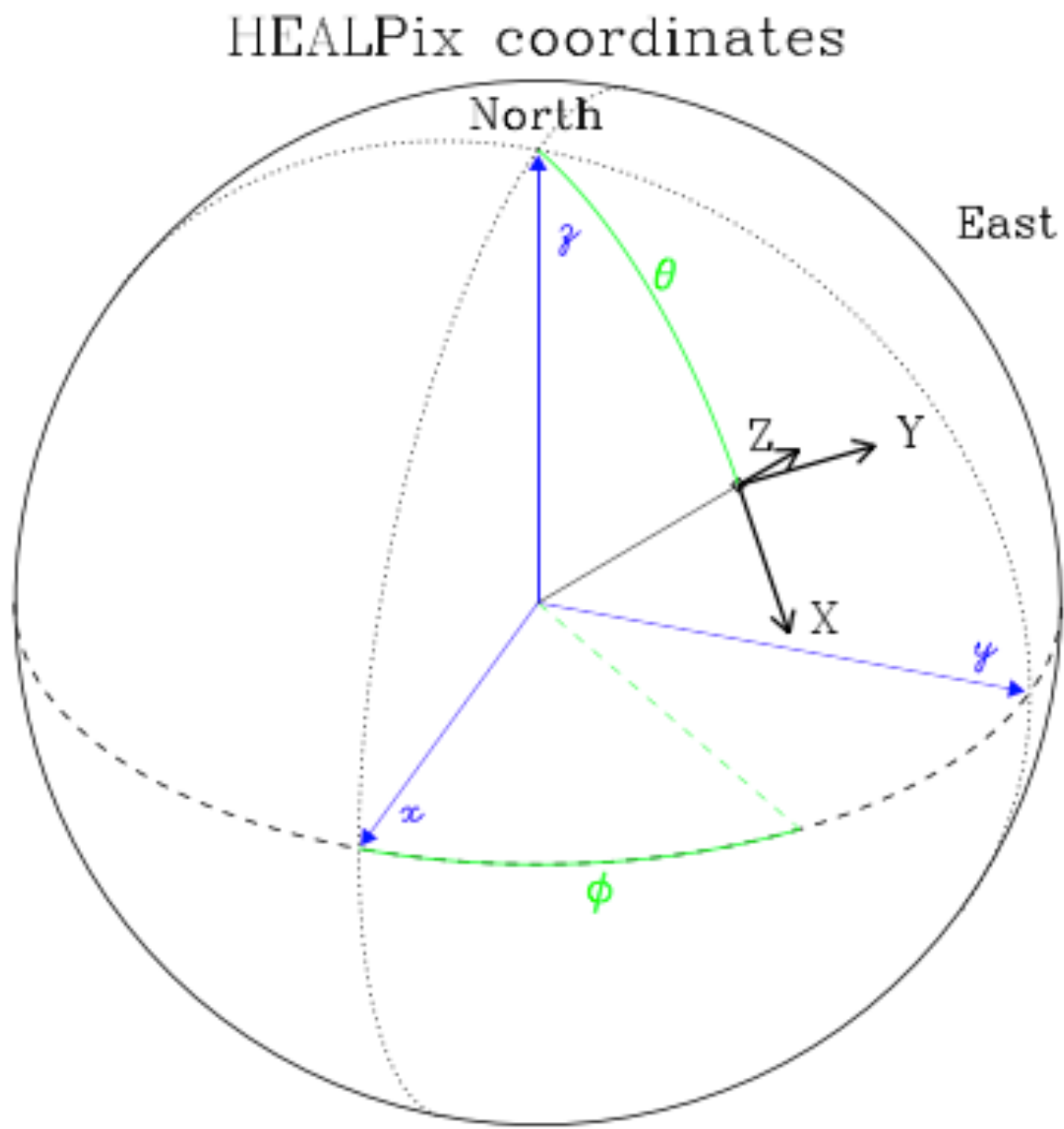
Well, I don't know yet. But, there are some hints!

Physical explanation? Implication?

- Further analysis is necessary: sh/comp, fast/slow/Alfven
- Maybe, we are sitting in the local bubble created by recent SN feedback events and looking at the ISM in a somewhat relaxed period.
- Intermittency!







$$Z = \sin \theta \cos \varphi \hat{x} + \sin \theta \sin \varphi \hat{y} + \cos \theta \hat{z}$$

$$X = \cos \theta \cos \varphi \hat{x} + \cos \theta \sin \varphi \hat{y} - \sin \theta \hat{z}$$

$$Y = -\sin \varphi \hat{x} + \cos \varphi \hat{y}$$

$$B_{\text{perp}}^2 = B_X^2 + B_Y^2$$

$$B_{\text{los}} = B_Z$$

$$\cos \gamma = B_{\text{perp}}/B$$

$$\cos \phi = B_Y/B_{\text{perp}}$$

$$\cos 2\phi = (B_Y^2 - B_X^2)/B_{\text{perp}}^2$$

$$\sin 2\phi = -2B_X B_Y/B_{\text{perp}}^2$$

$$\nu = 353 \text{ GHz}$$

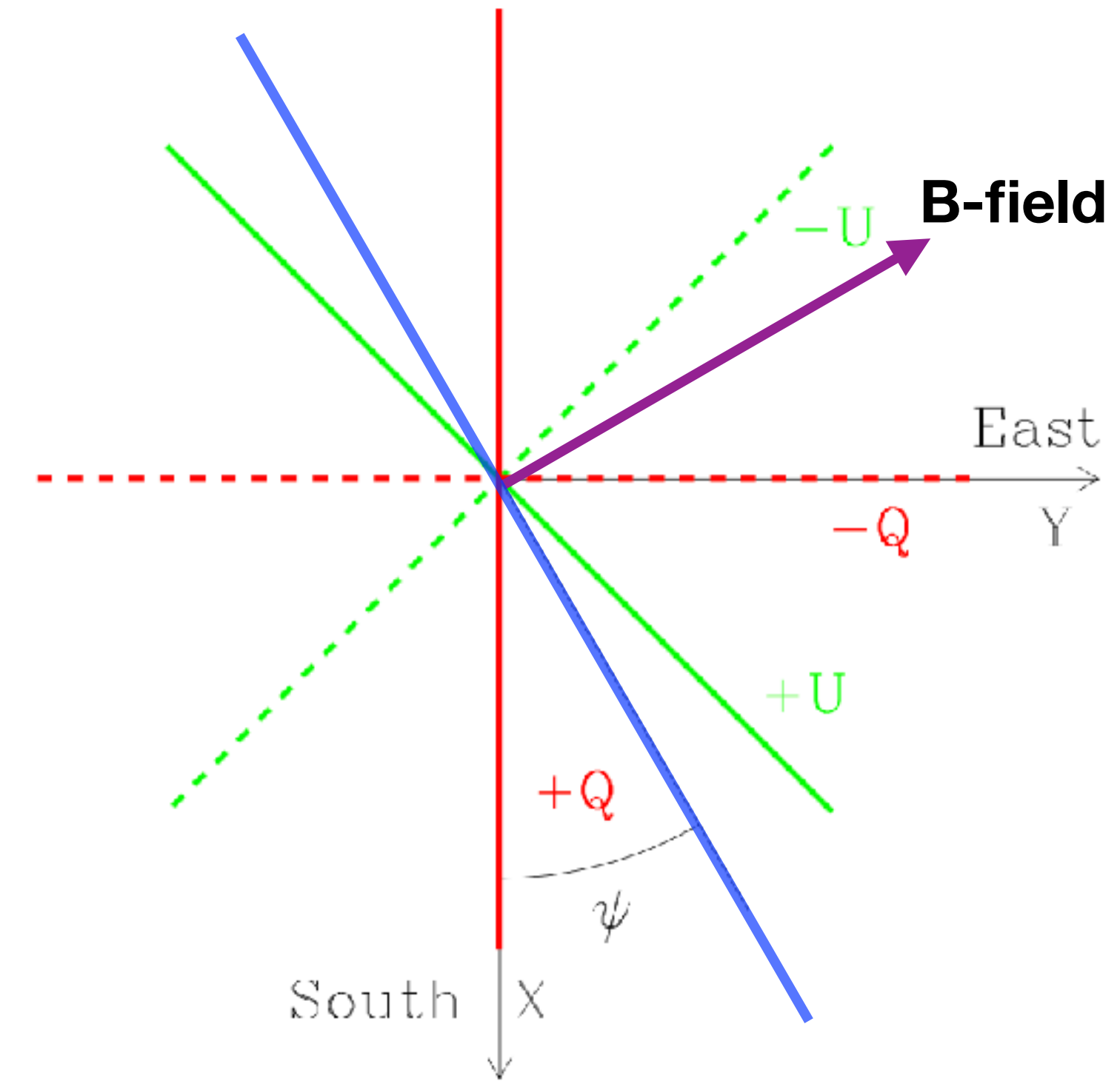
$$S_\nu = B_\nu(T_d) \text{ and } T_d = 18 \text{ K}$$

$$p_0 = 0.2$$

$$d\tau_\nu = \sigma_{353} n_H dr$$

$$\sigma_{353} = 1.2 \times 10^{-26} \text{ cm}^2$$

Polarization Direction



$$I = \int S_\nu e^{-\tau_\nu} \left[1 - p_0 \left(\cos^2 \gamma - \frac{2}{3} \right) \right] d\tau_\nu;$$

$$Q = \int p_0 S_\nu e^{-\tau_\nu} \cos(2\phi) \cos^2 \gamma d\tau_\nu;$$

$$U = \int p_0 S_\nu e^{-\tau_\nu} \sin(2\phi) \cos^2 \gamma d\tau_\nu.$$