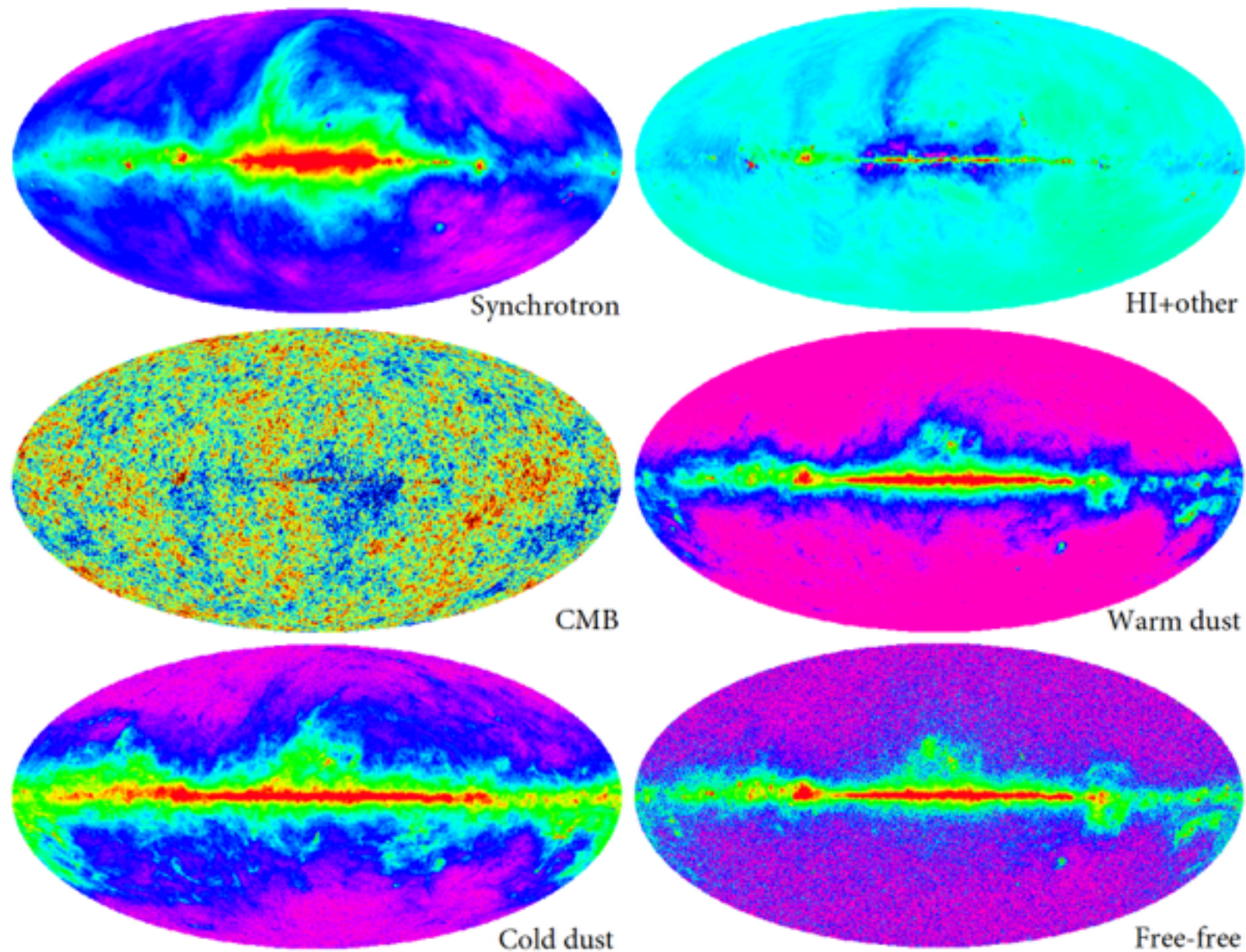


The extended Global Sky Model (eGSM)



Adrian Liu, UC Berkeley/McGill

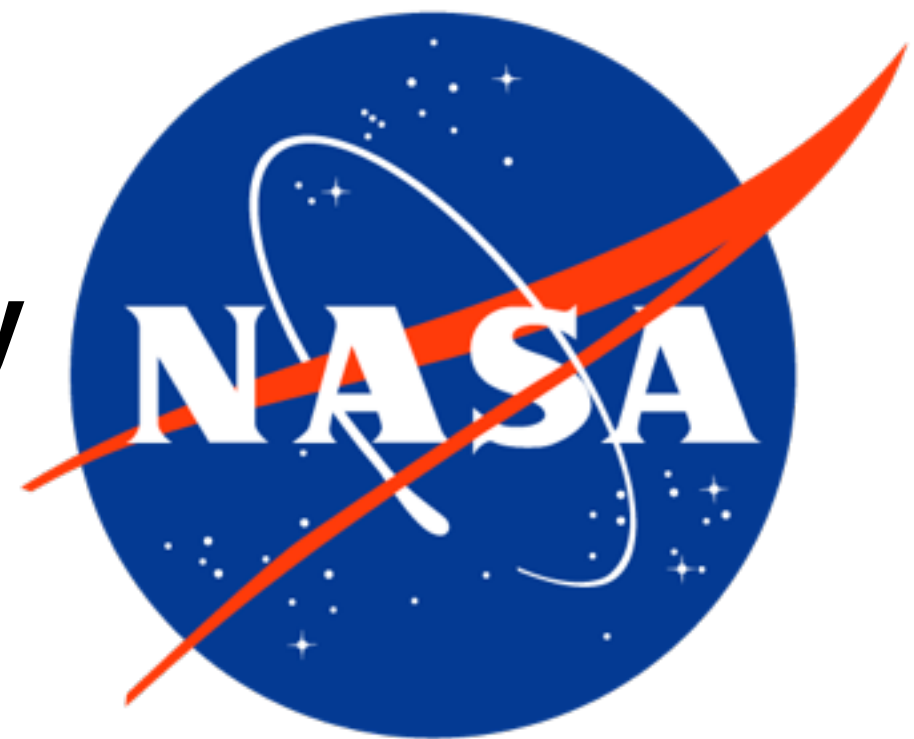
The extended Global Sky Model (eGSM) project

AL, UC Berkeley/McGill

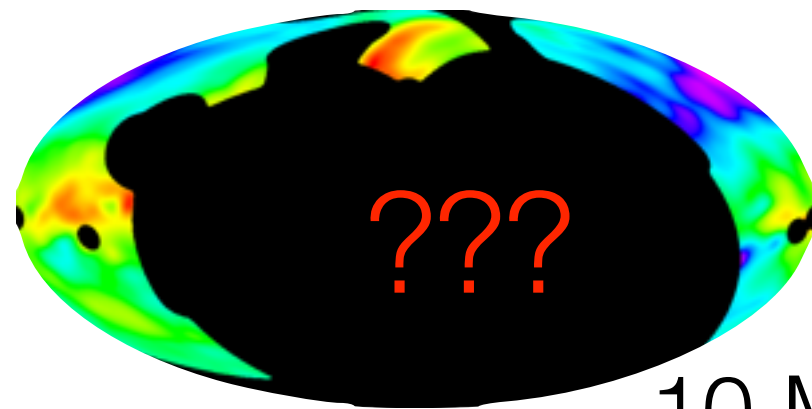
Doyeon “Avery” Kim, UC Berkeley

Eric Switzer, NASA Goddard

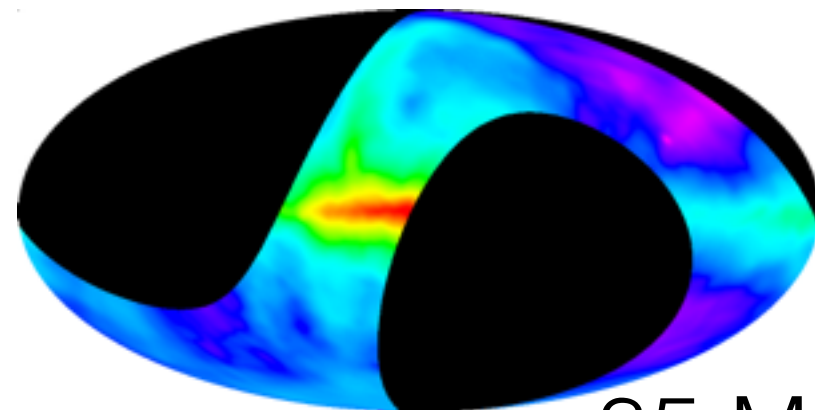
Haoxuan “Jeff” Zheng, MIT/Intel



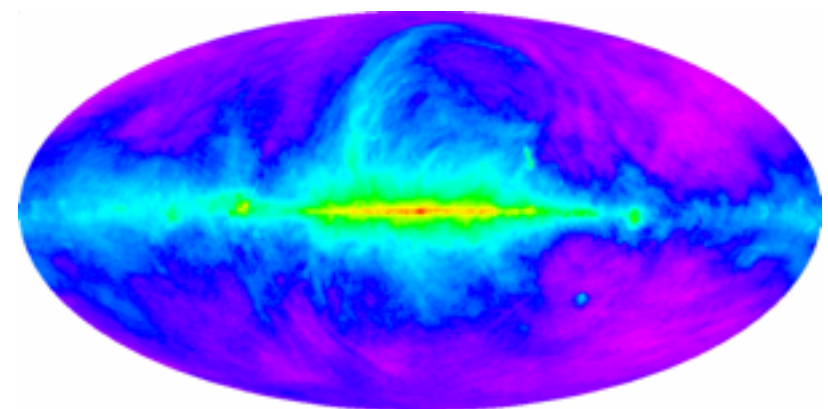
What does the sky look like in all directions at “all” frequencies?



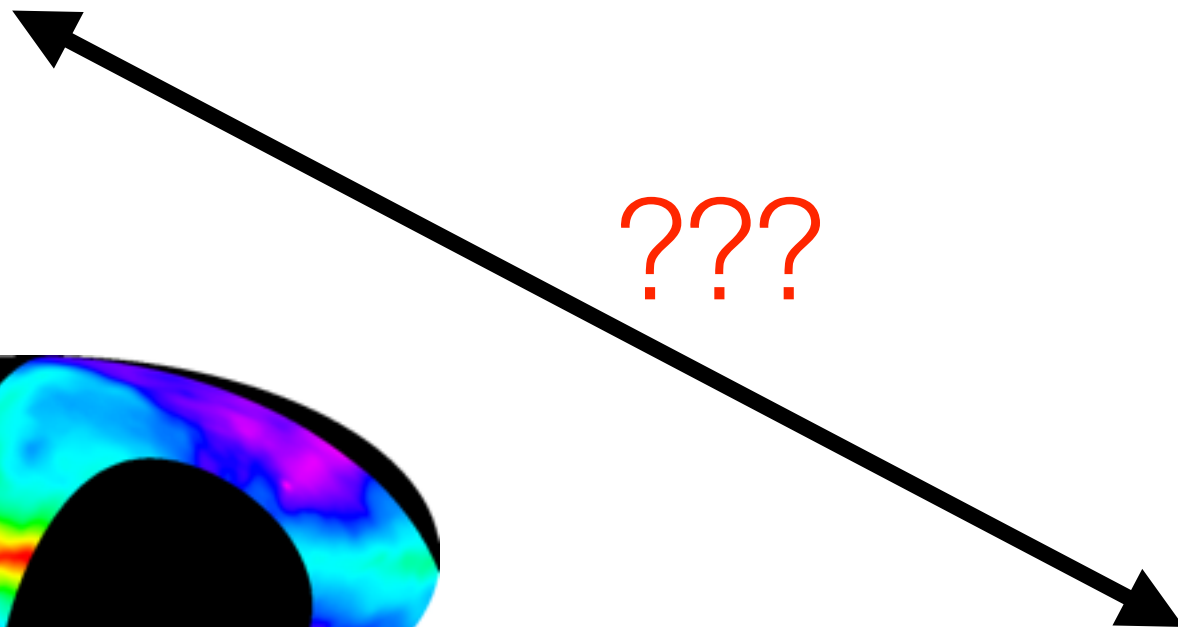
10 MHz



85 MHz

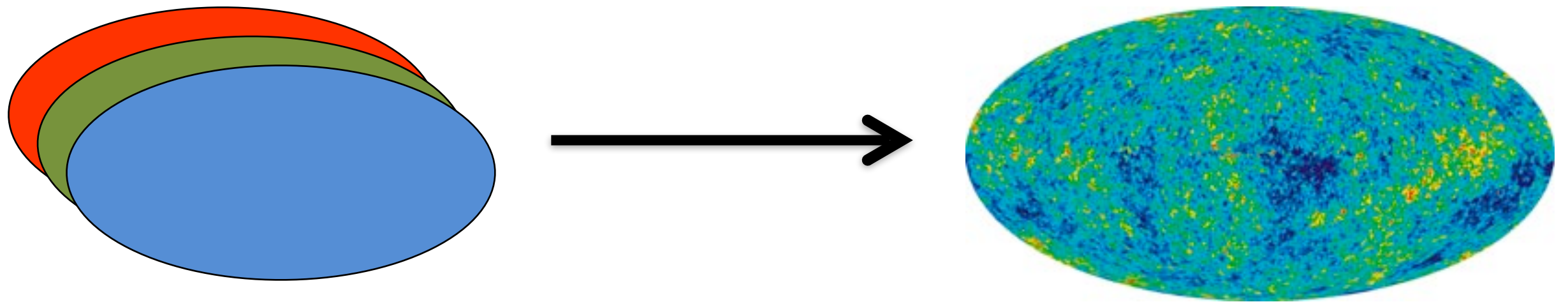


408 MHz

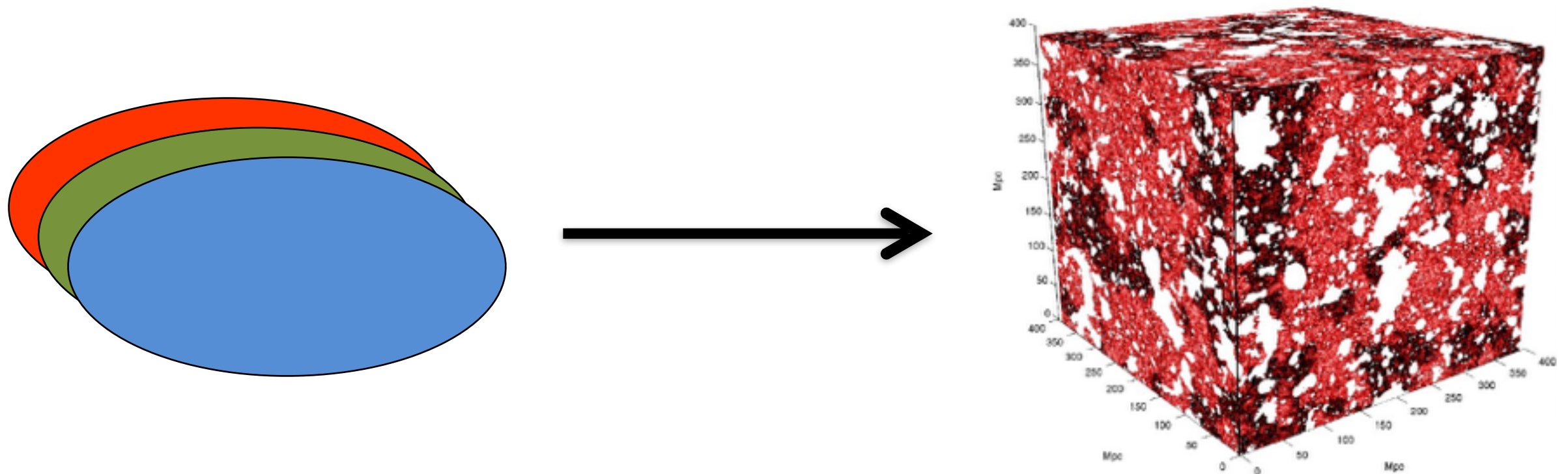


My motivation

Cosmic Microwave Background



21cm Cosmology



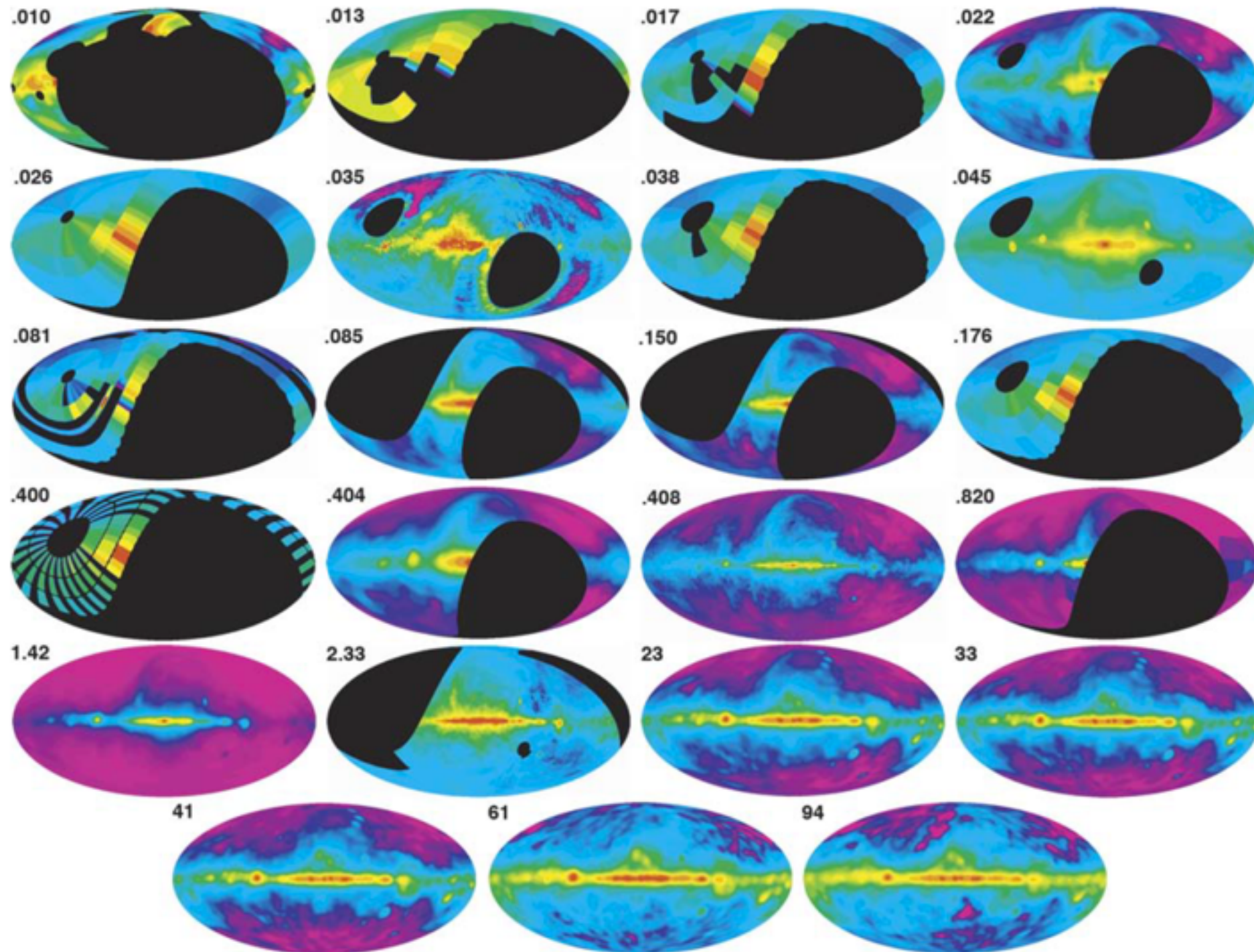
(See **AL**, et al. 2013 PRD 87, 043002
for more details)

How does one model
the sky?

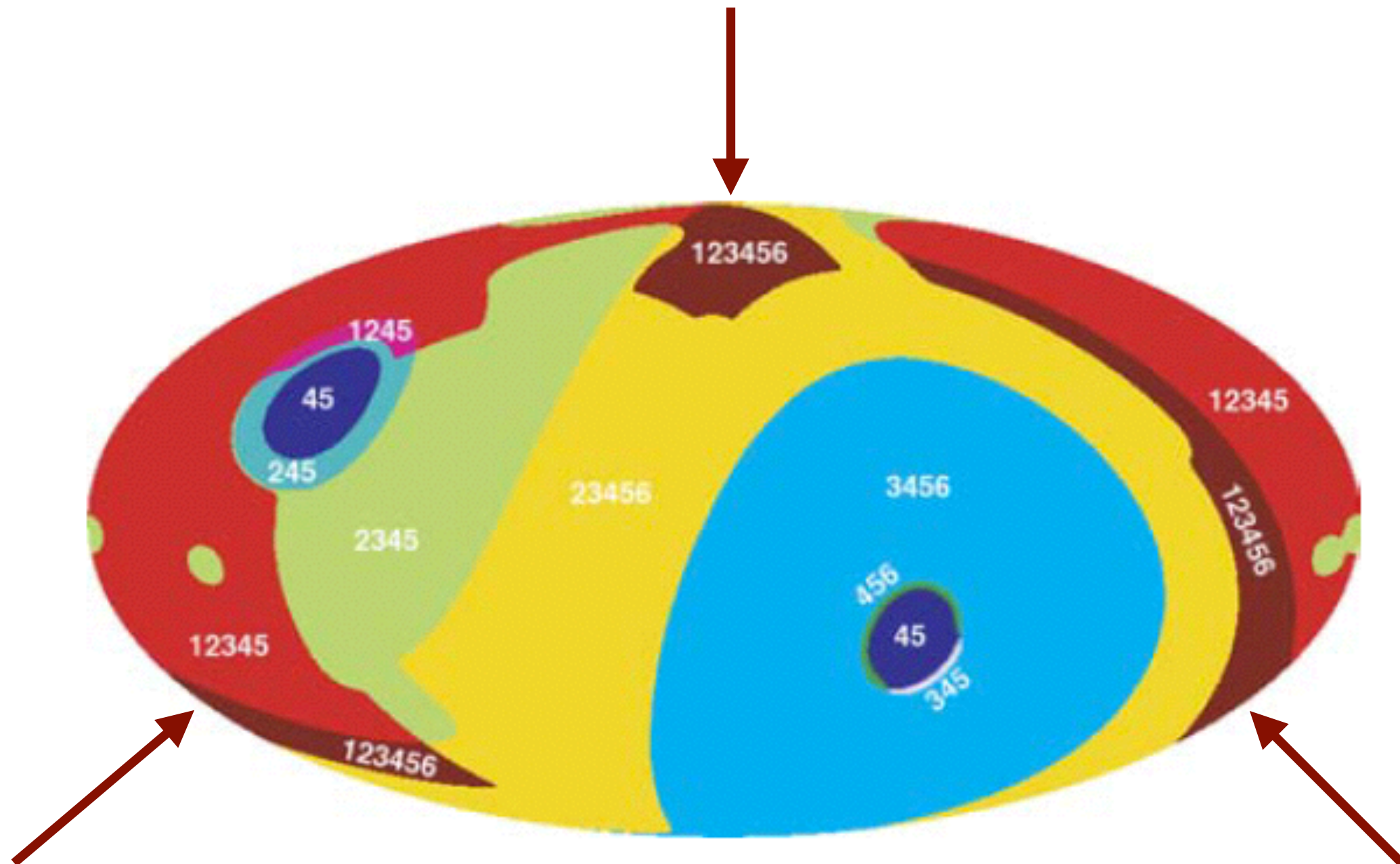
Global Sky Model v1

(de Oliveira-Costa et al. 2008, MNRAS 388, 247)

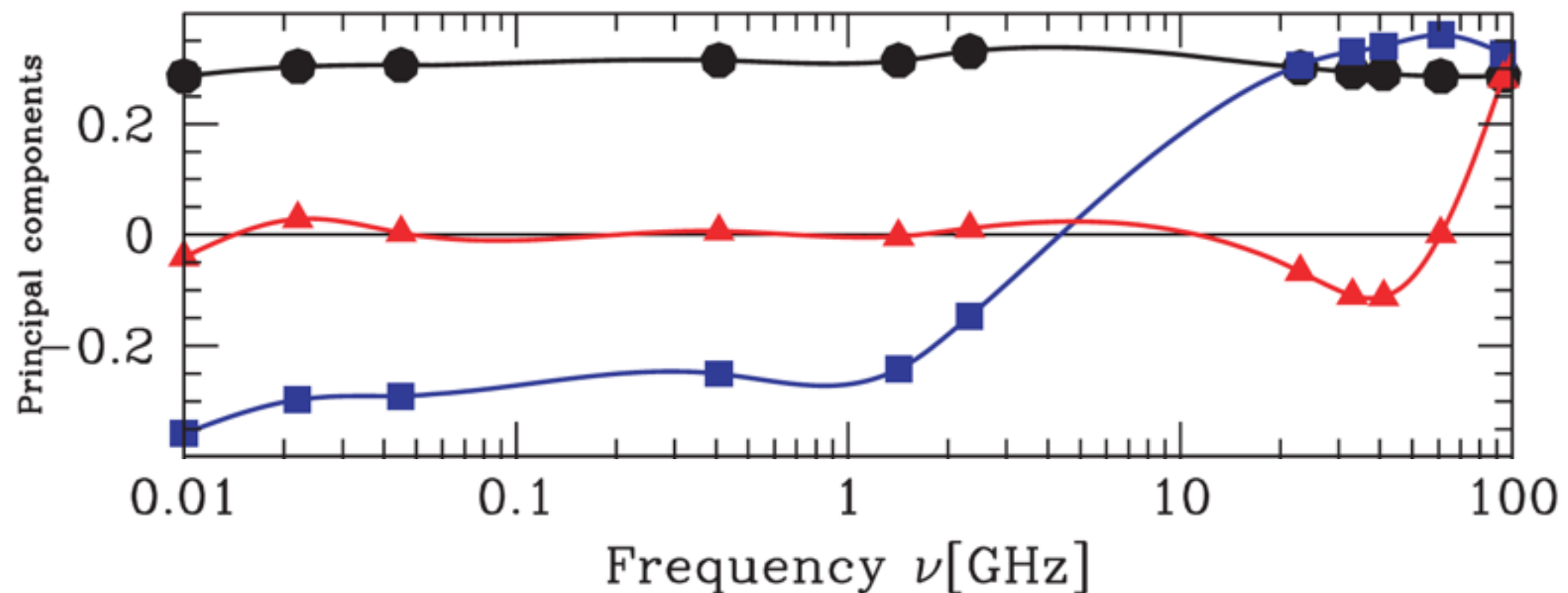
Take a wide selection of survey data...



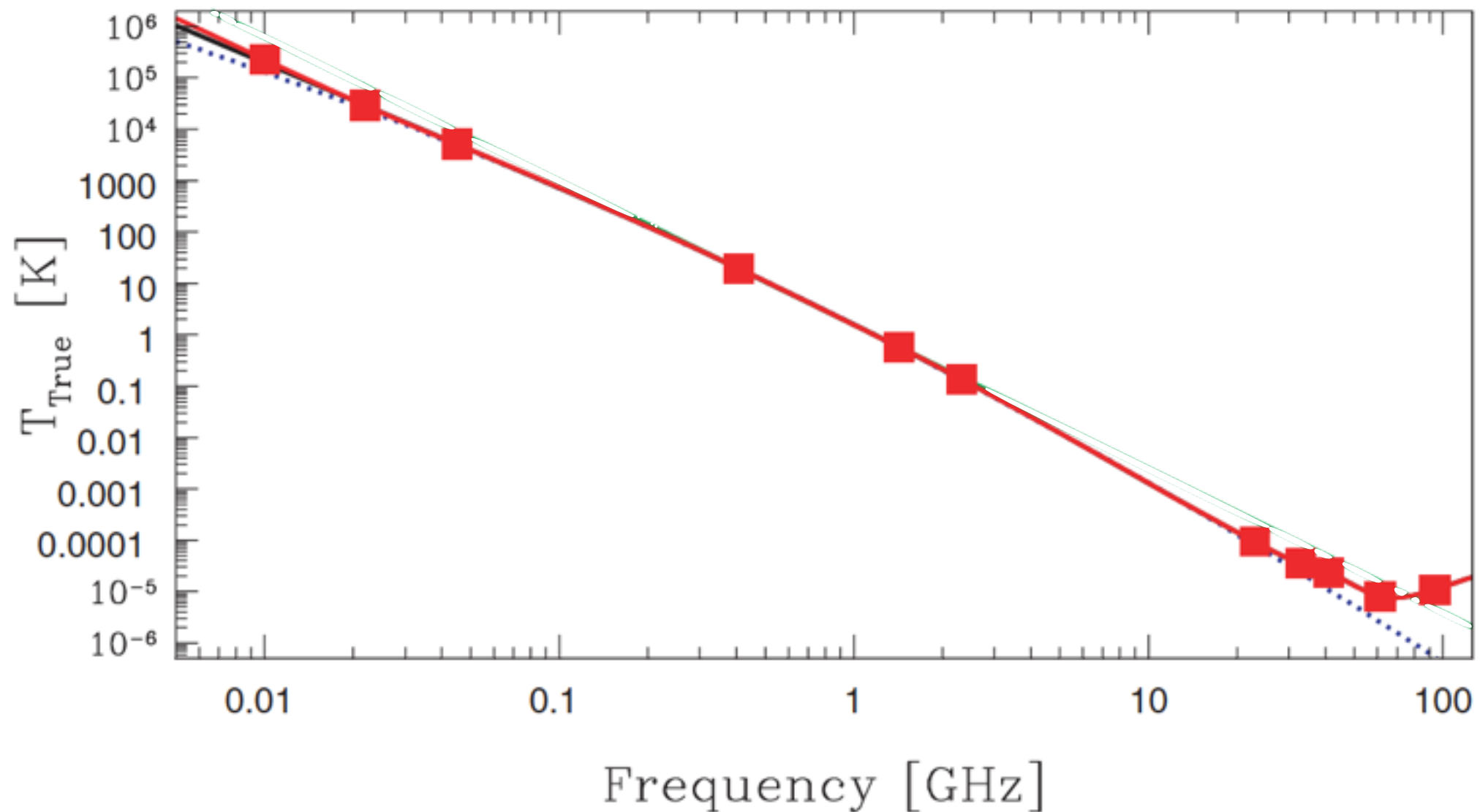
...identify common
regions...



...which are then used to train
three principal component
spectral templates...



...that are used to fit the spectra
in every pixel of the sky...



...that are used to fit the spectra
in every pixel of the sky...

$$T(\hat{r}, \nu) = m_1(\hat{r})c_1(\nu) + m_2(\hat{r})c_2(\nu) + \dots$$

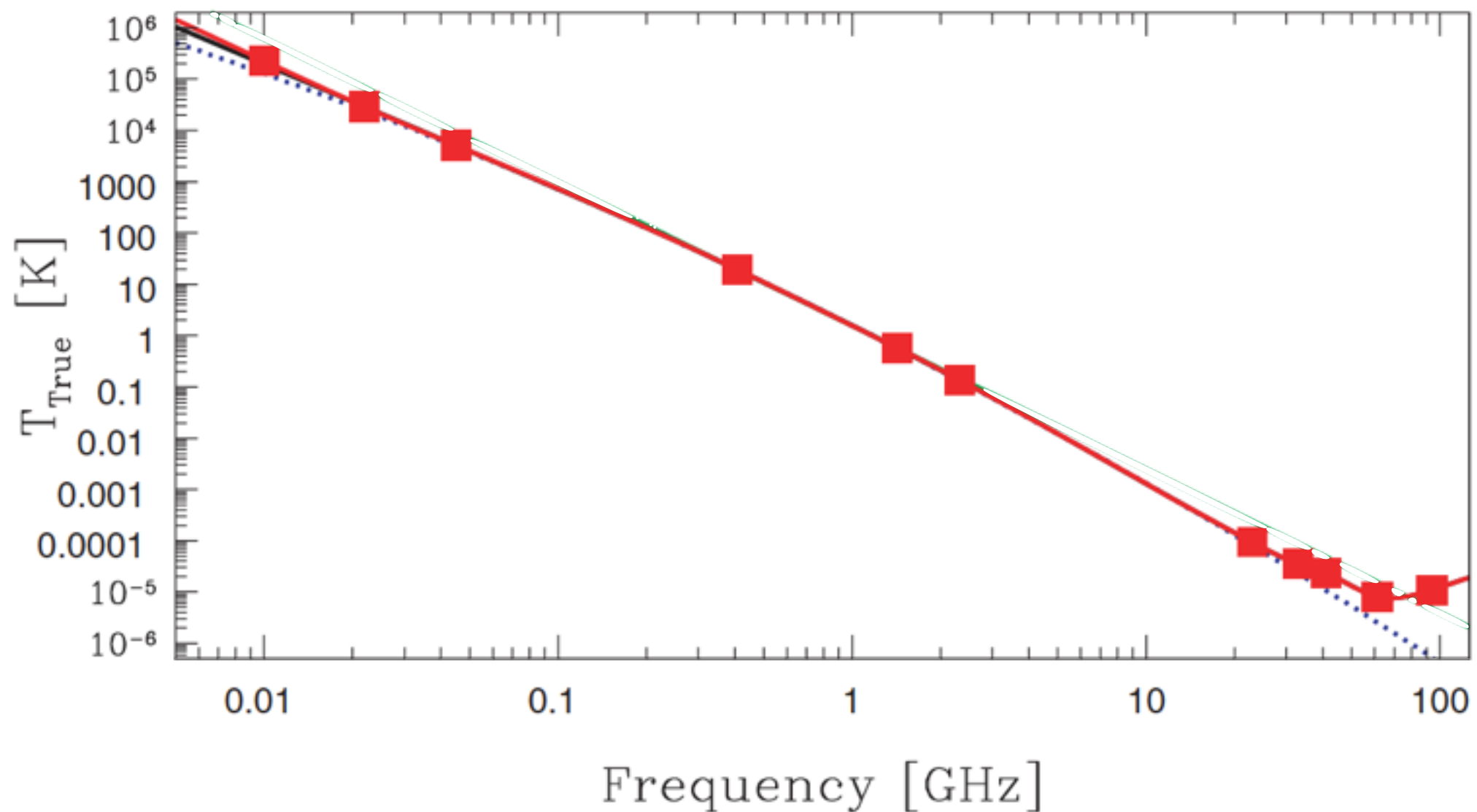
...that are used to fit the spectra
in every pixel of the sky...

Given these

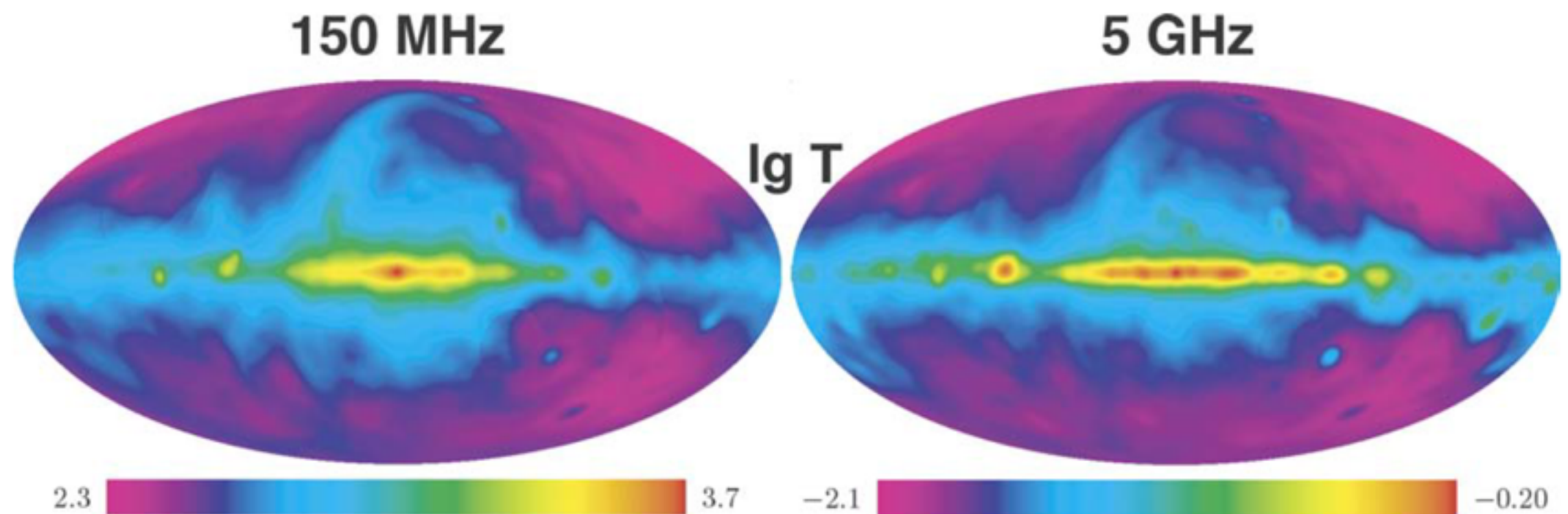
$$T(\hat{r}, \nu) = \underbrace{m_1(\hat{r})}_{\text{Solve for these}} \underbrace{c_1(\nu)}_{\text{Given these}} + \underbrace{m_2(\hat{r})}_{\text{Solve for these}} \underbrace{c_2(\nu)}_{\text{Given these}} + \dots$$

Solve for these

...that are used to fit the spectra
in every pixel of the sky...



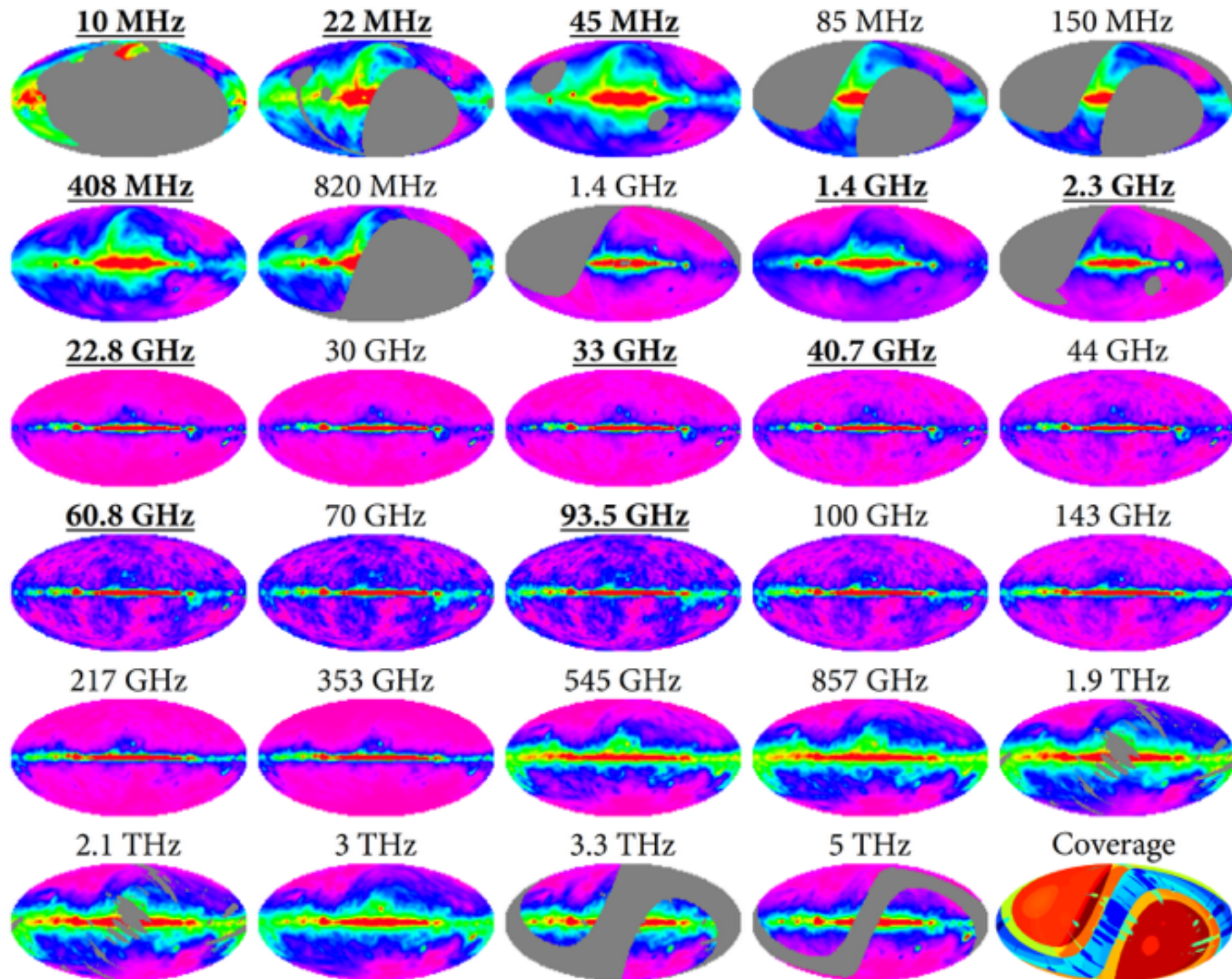
...and are interpolated to
produces maps of the sky at
“any” frequency



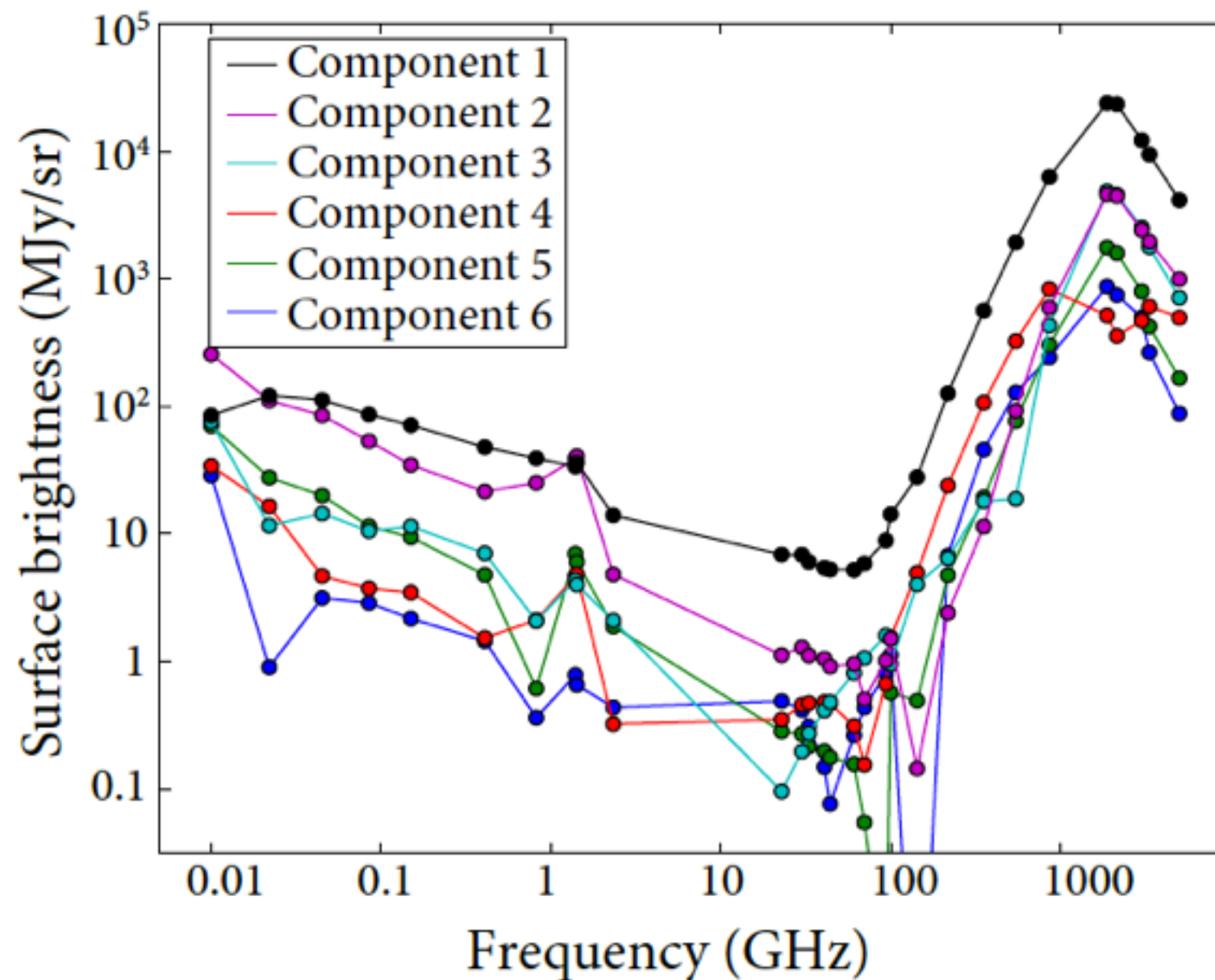
Global Sky Model v2

(Zheng... Kim, AL... et al. 2017, MNRAS 464, 3486)

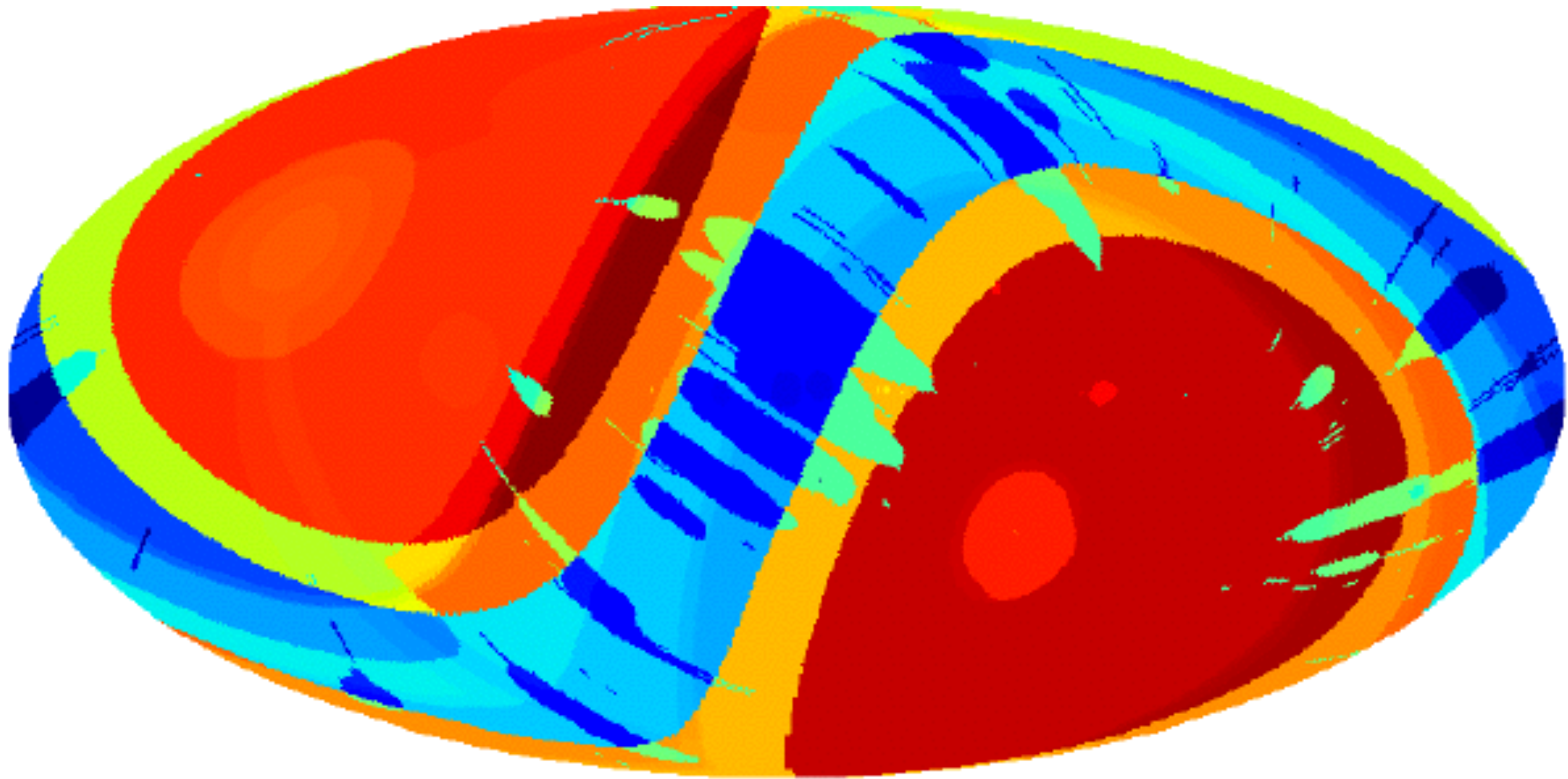
Take an even wider selection of updated maps...



...now using six spectral components...



...and iteratively fitting for spectral and spatial information across the whole sky



...and iteratively fitting for spectral and spatial information across the whole sky

Given these

$$T(\hat{r}, \nu) = \underbrace{m_1(\hat{r})}_{\text{Solve for these}} \underbrace{c_1(\nu)}_{\text{Given these}} + \underbrace{m_2(\hat{r})}_{\text{Solve for these}} \underbrace{c_2(\nu)}_{\text{Given these}} + \dots$$

Solve for these

...and iteratively fitting for spectral and spatial information across the whole sky

Solve for these

$$T(\hat{r}, \nu) = \underbrace{m_1(\hat{r})}_{\text{Given these}} \underbrace{c_1(\nu)}_{\text{Solve for these}} + \underbrace{m_2(\hat{r})}_{\text{Given these}} \underbrace{c_2(\nu)}_{\text{Solve for these}} + \dots$$

Given these

...and iteratively fitting for spectral and spatial information across the whole sky

Given these

$$T(\hat{r}, \nu) = \underbrace{m_1(\hat{r})}_{\text{Solve for these}} c_1(\nu) + \underbrace{m_2(\hat{r})}_{\text{Solve for these}} c_2(\nu) + \dots$$

Solve for these

...to derive even even better fits
to the data.

Global Sky Model v3

(Kim, AL, Switzer 2017, in prep.)

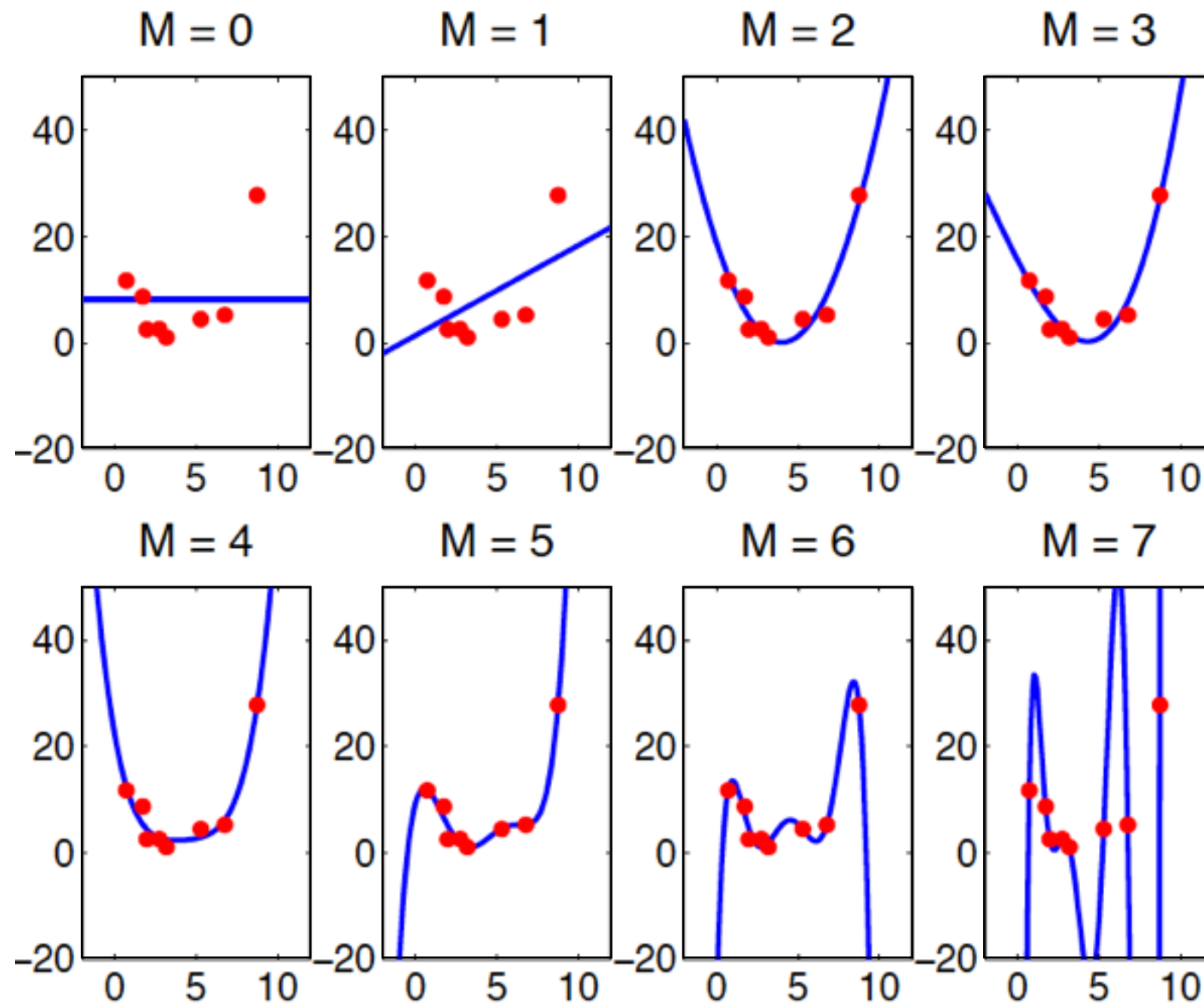
Why three components?
Why six components?

Too few components: inadequate fits to data

Too many components: overfitting of data

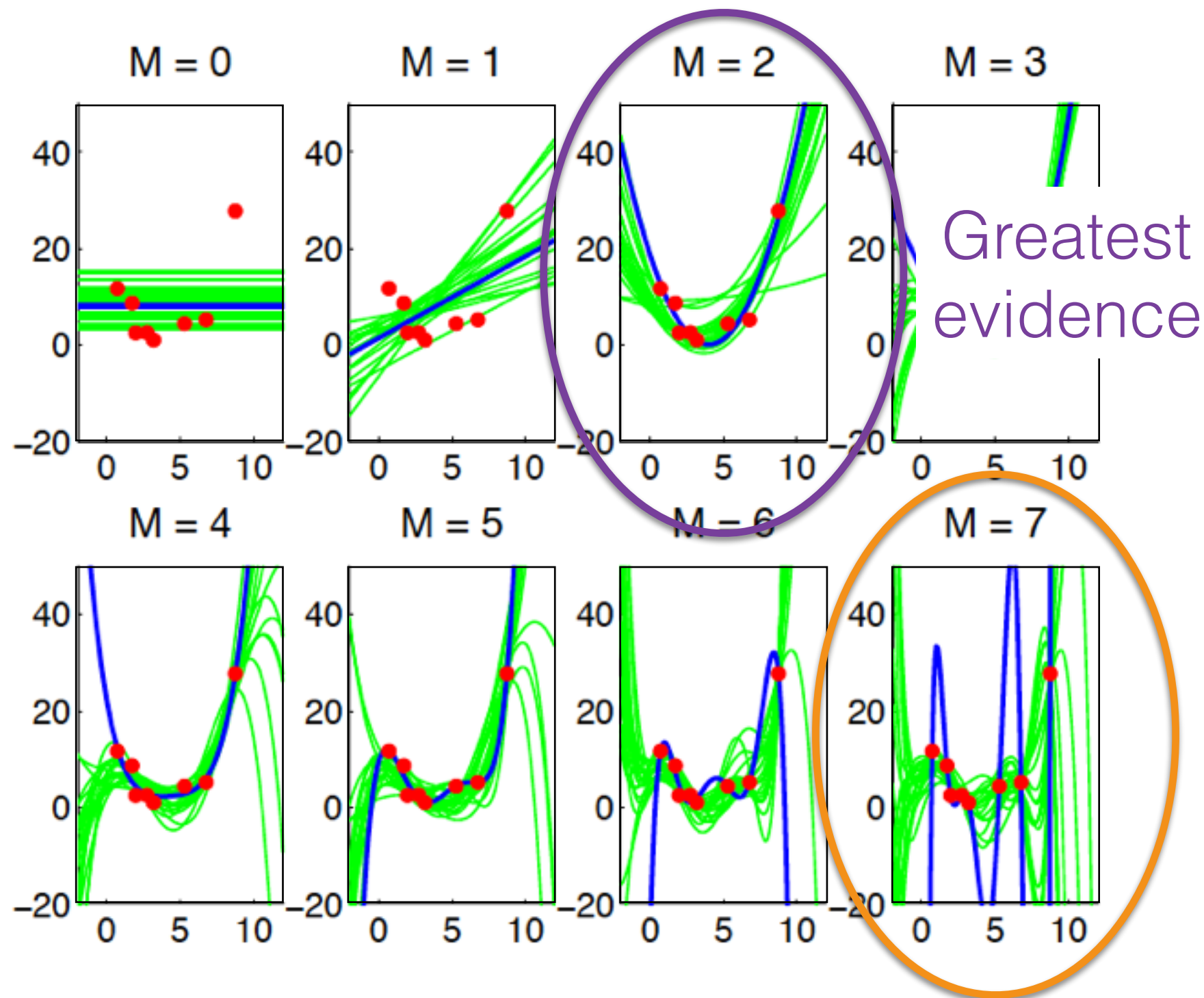
Computing the Bayesian Evidence provides a way to determine the optimal number of principal components to fit

Image credit:
Zoubin Ghahramani

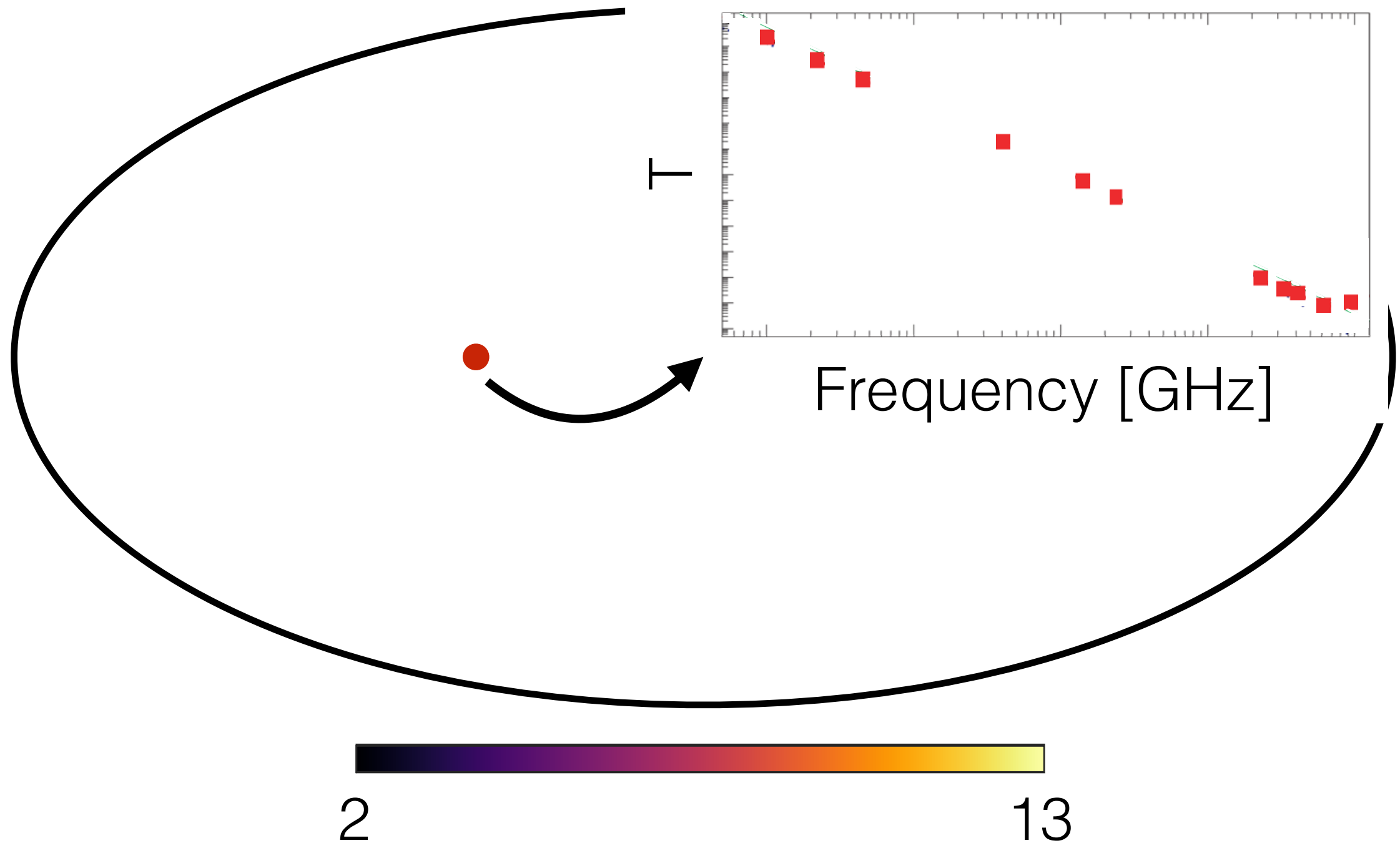


Computing the Bayesian Evidence provides a way to determine the optimal number of principal components to fit

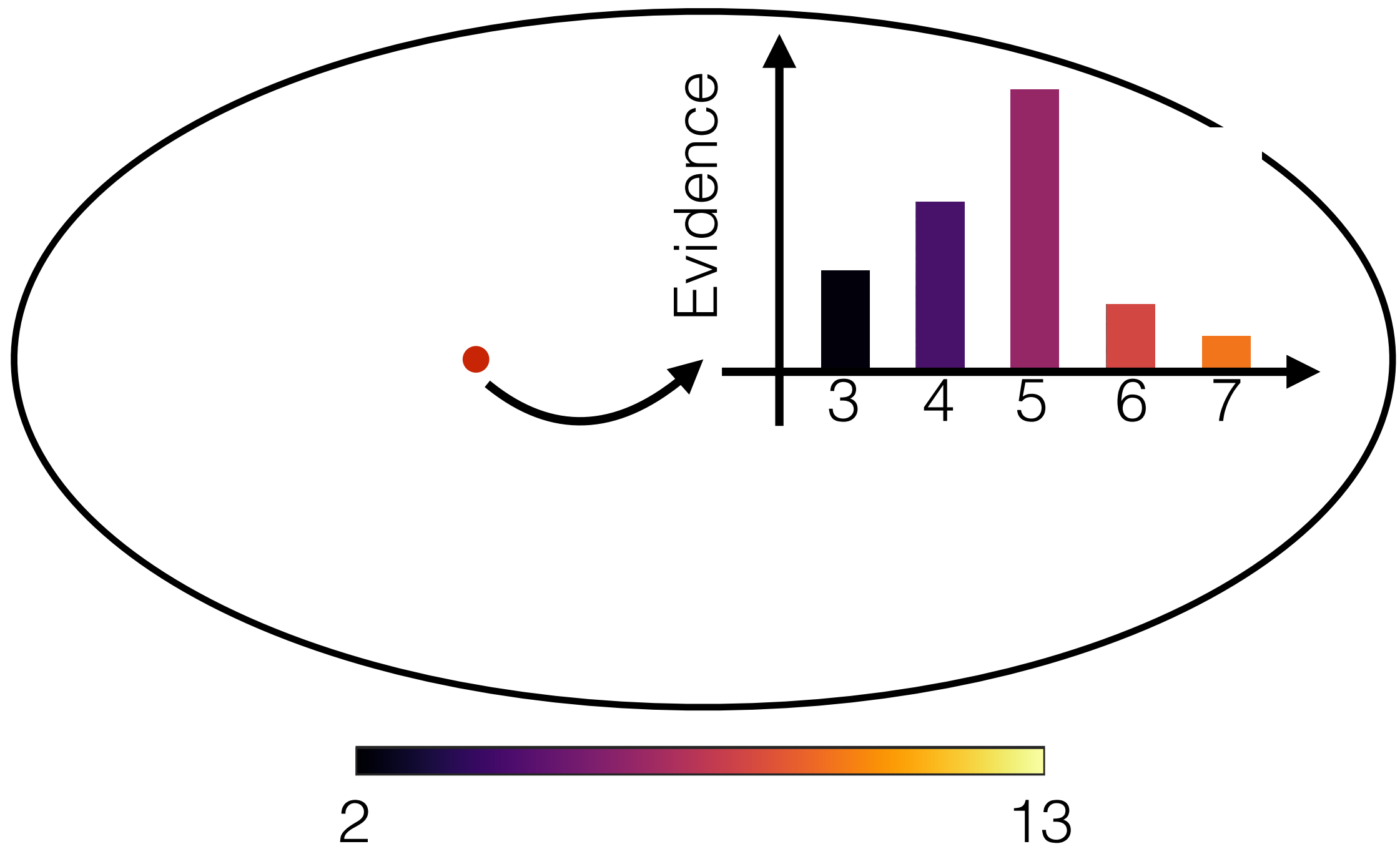
Image credit:
Zoubin Ghahramani



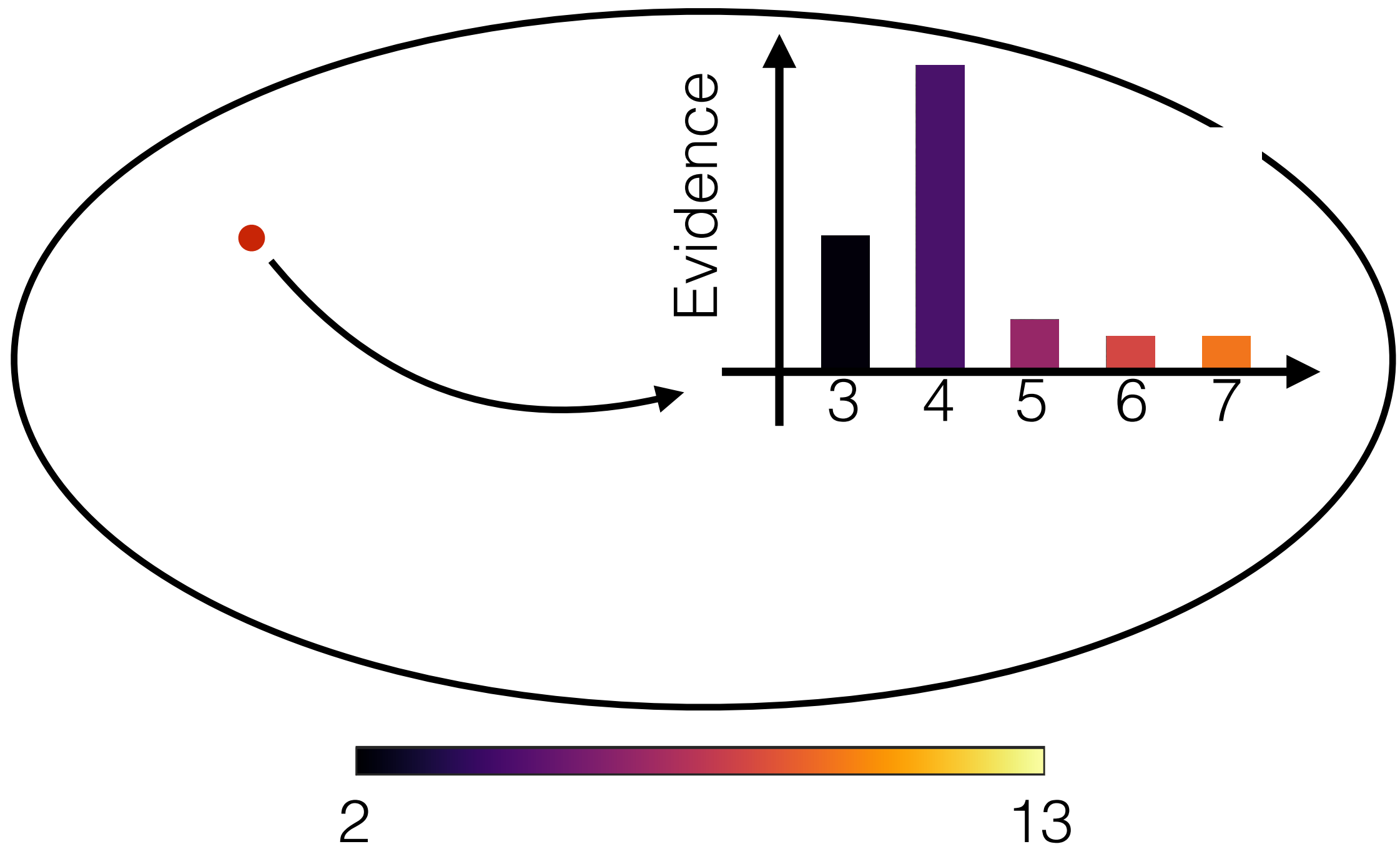
Optimal number of principal components



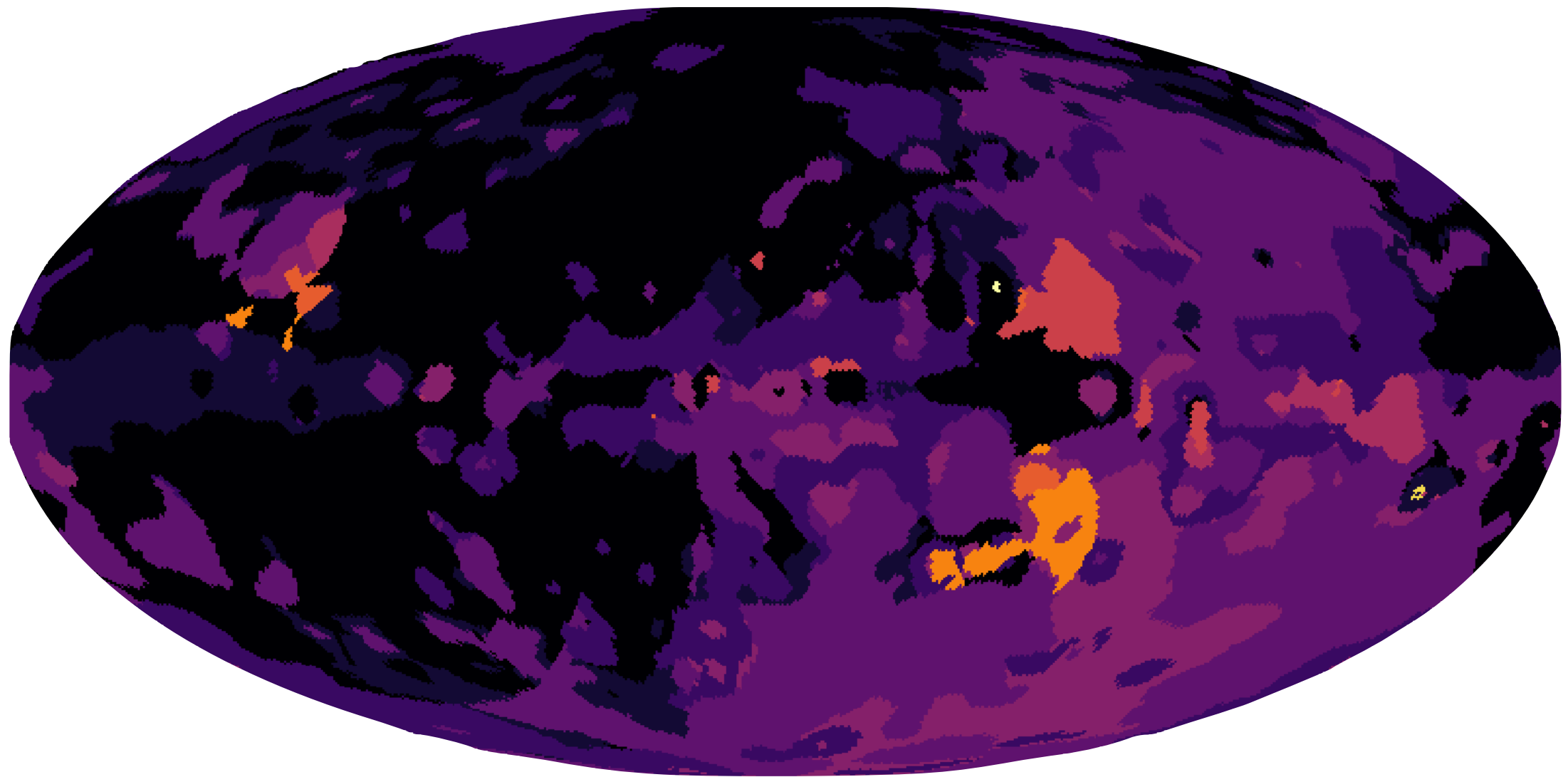
Optimal number of principal components



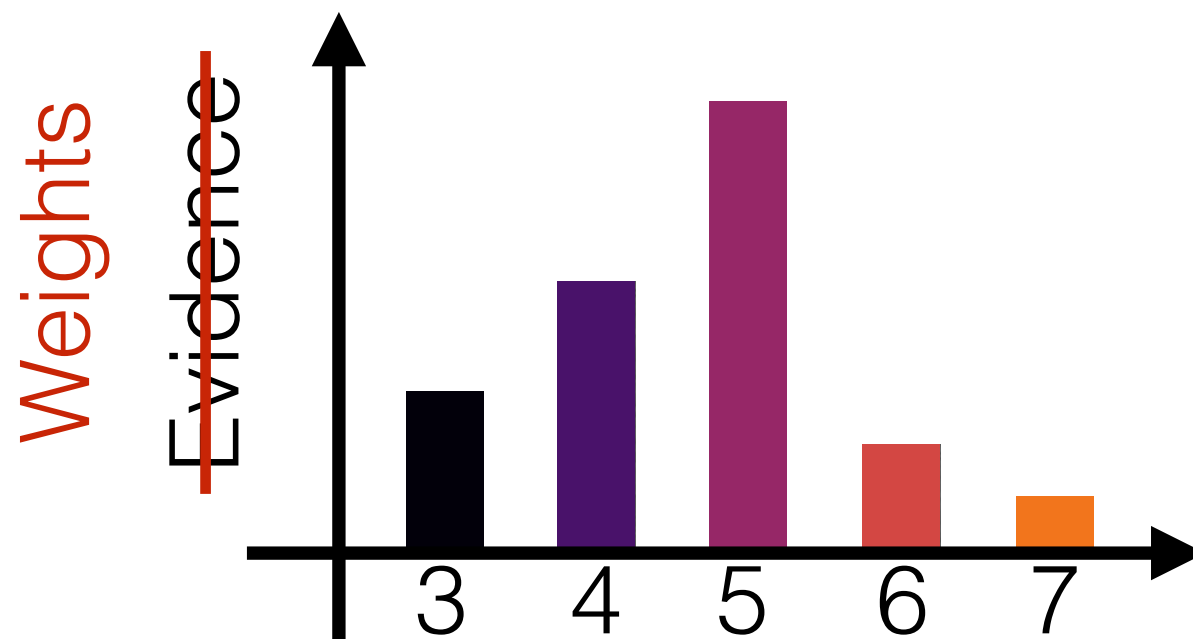
Optimal number of principal components



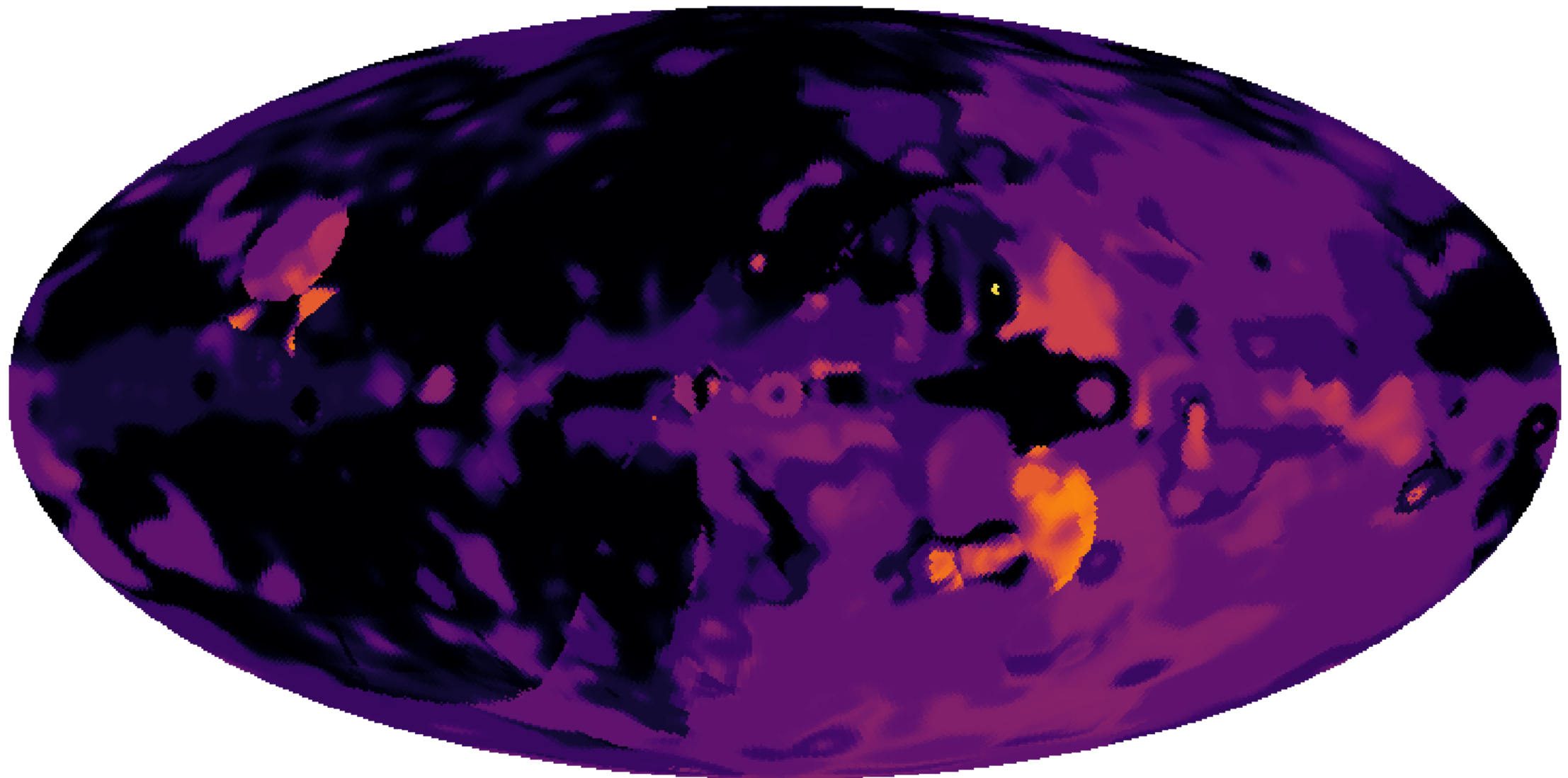
Optimal number of principal components



But why even commit to a model? Use evidence as a weight for constructing hybrid models that are noncommittal to the number of components



Effective number of principal components

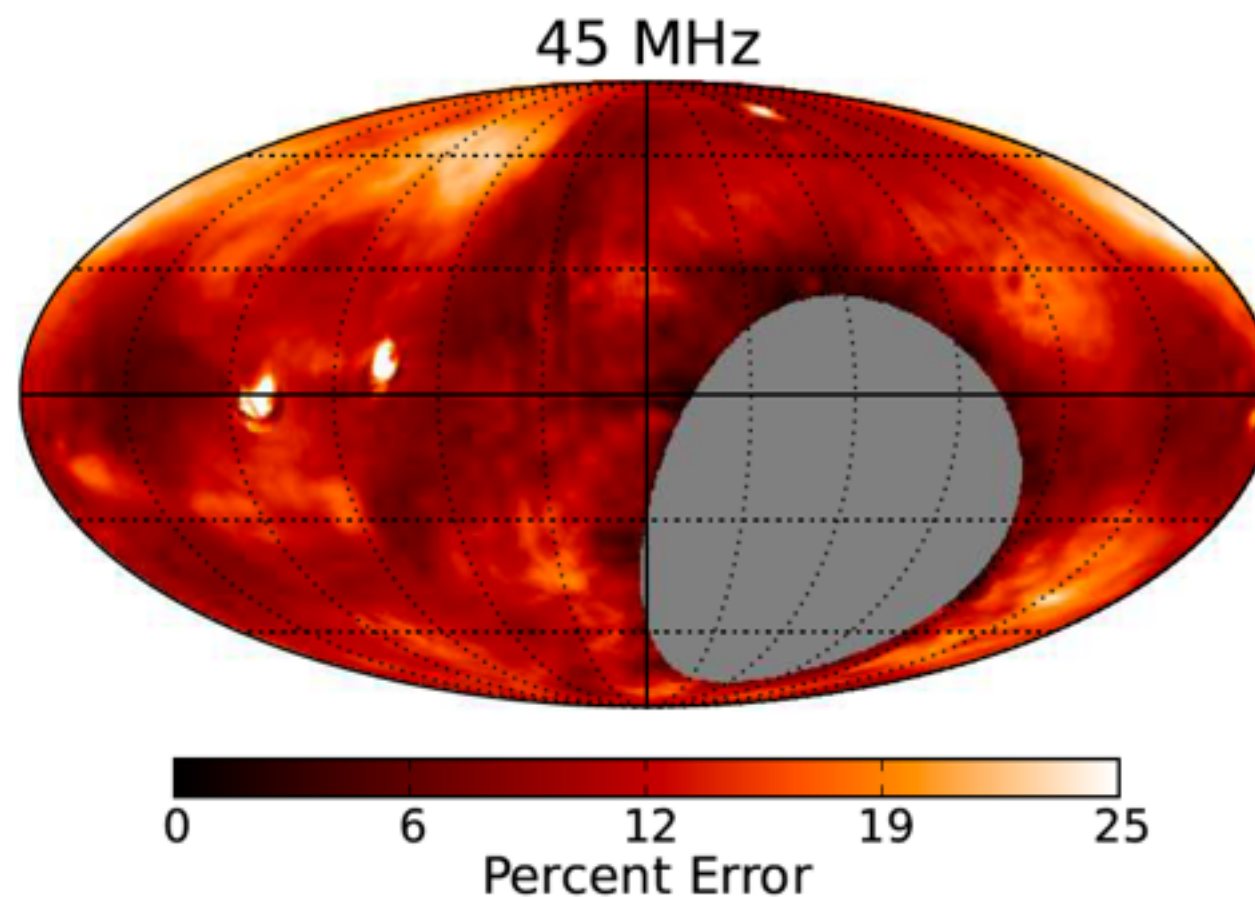


The old versions of the GSM
had no error bars!

Solution: construct models for the errors in the input data, and Monte Carlo to get final errors in our predictions

Solution: construct models for the errors in the input data, and Monte Carlo to get final errors in our predictions

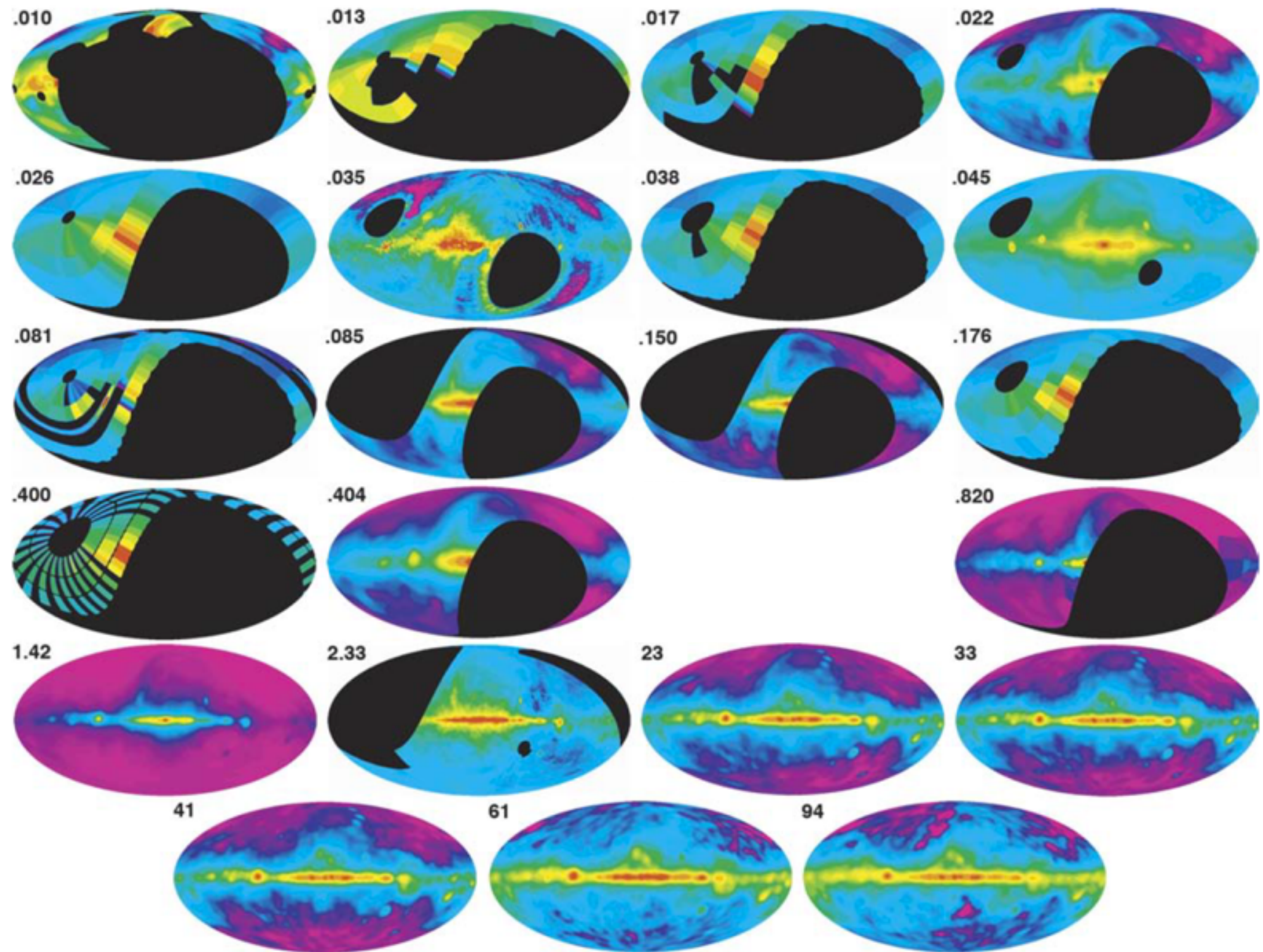
- Where available, use provided estimates of errors and covariances



LWA 74 MHz, Dowell et al. (2017)

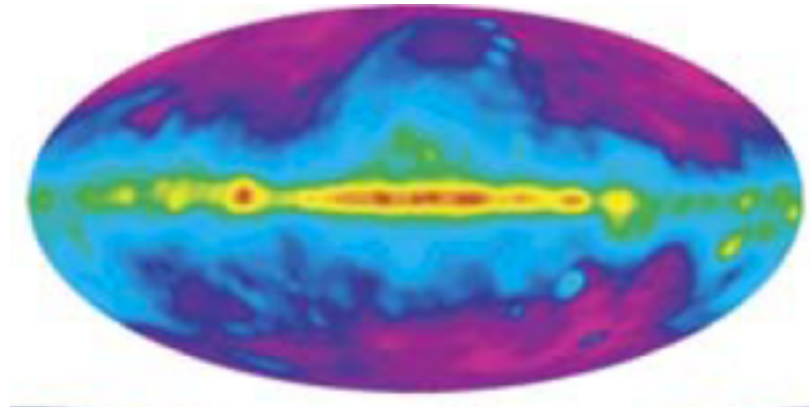
Solution: construct models for the errors in the input data, and Monte Carlo to get final errors in our predictions

- Where available, use provided estimates of errors and covariances
- Errors in the model itself modelled empirically



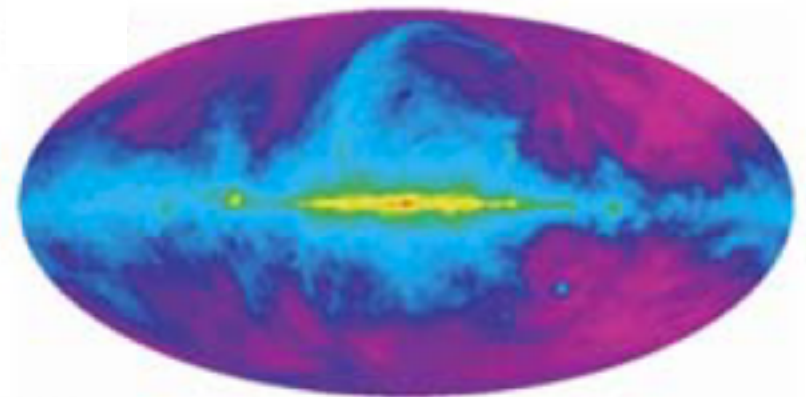
Run model again with an input map removed, making a prediction for the missing map

Prediction



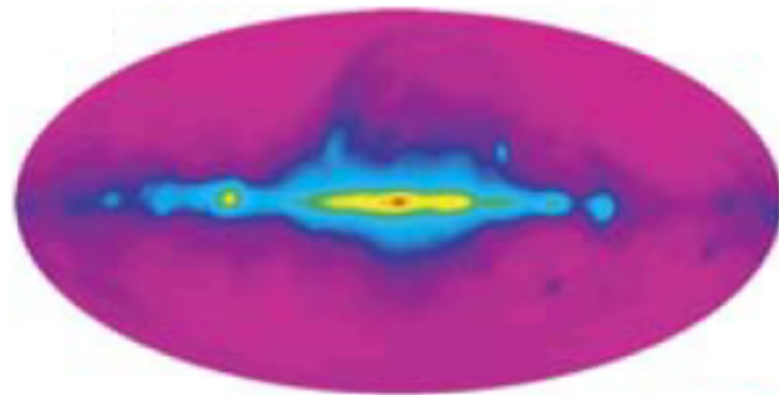
—

Data



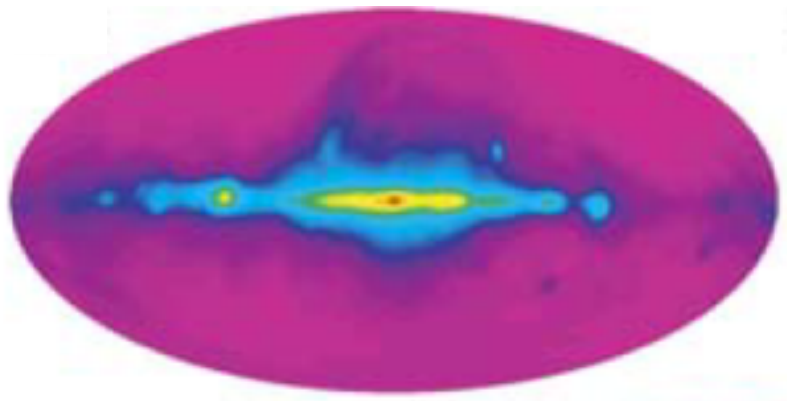
“Error”

=



Subtract the new predicted map from the
observed data

“Error”

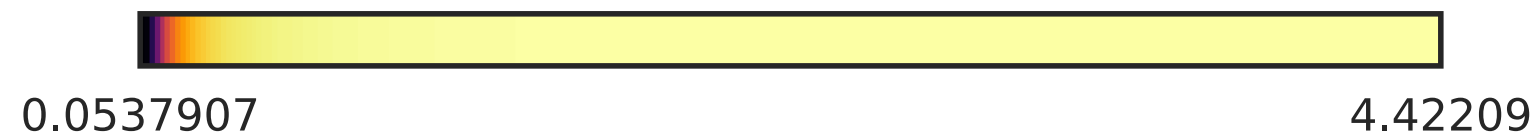
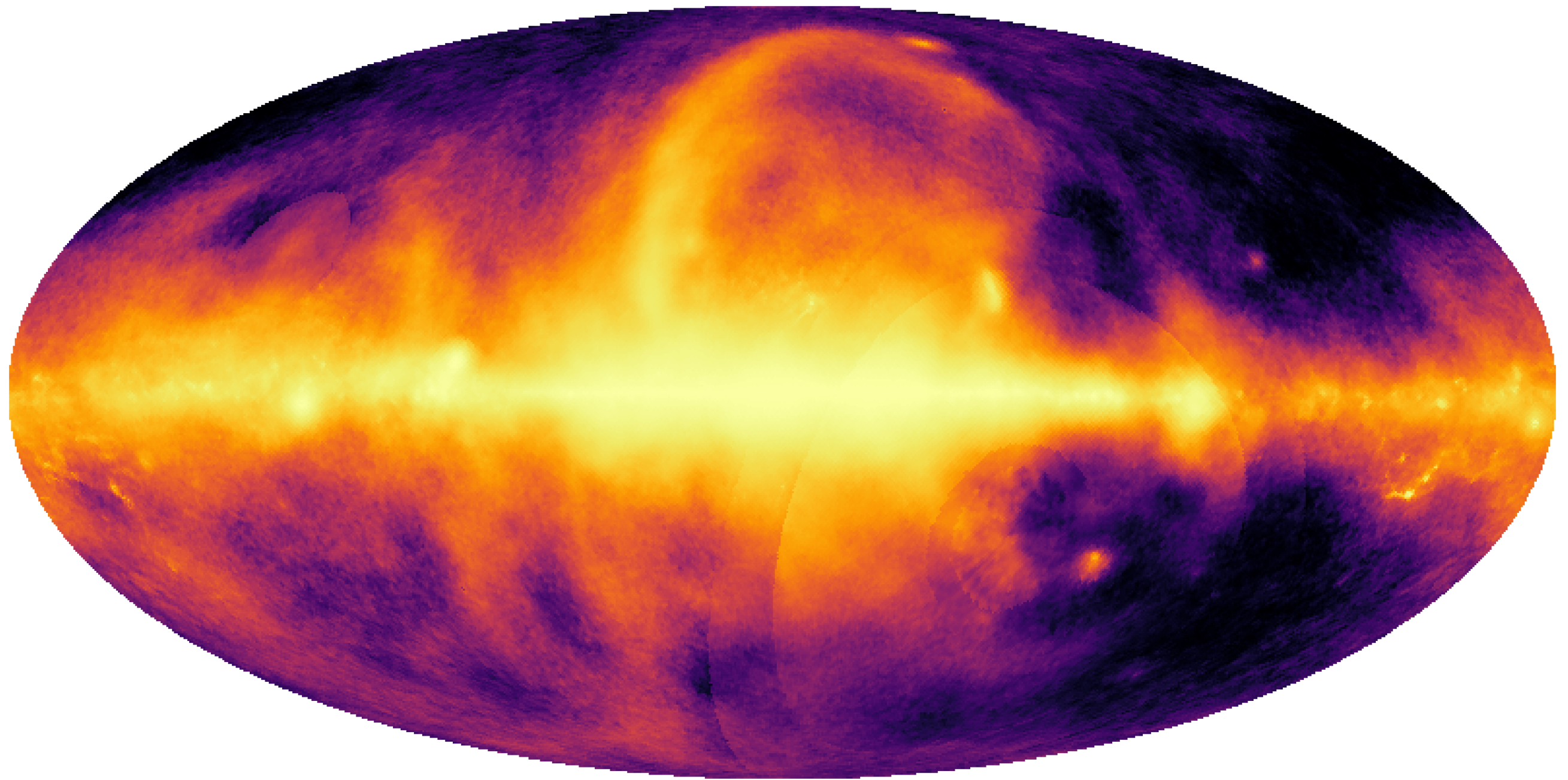


**Ansatz for errors in
image space:
proportional to error map**

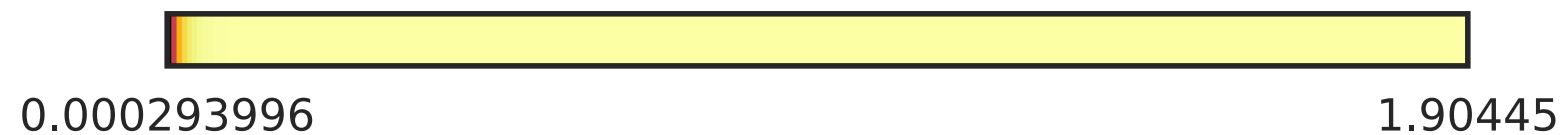
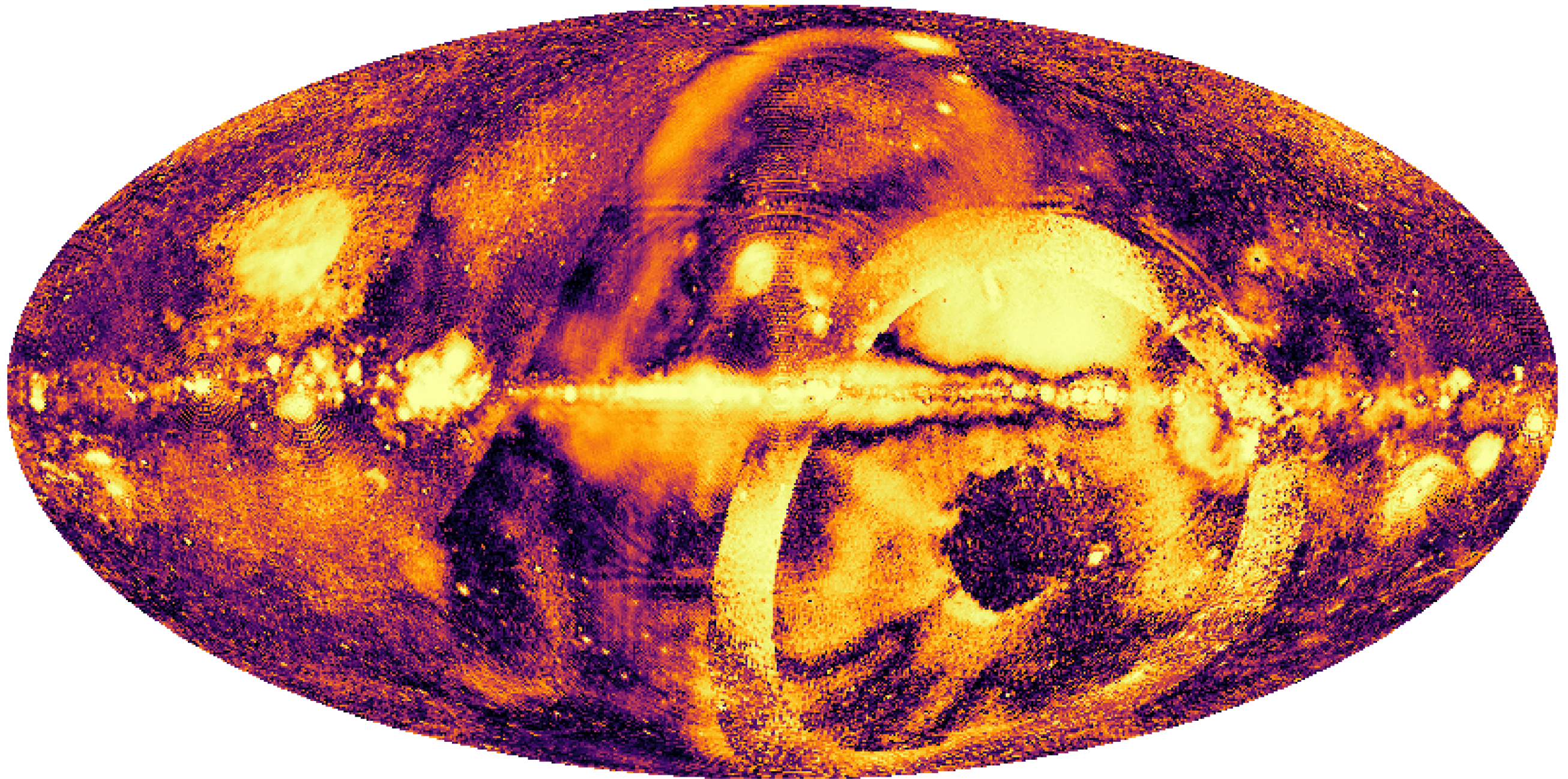
**Ansatz for harmonic space:
determined by C_l of
whitened error map**

Error model

An example 408 MHz prediction

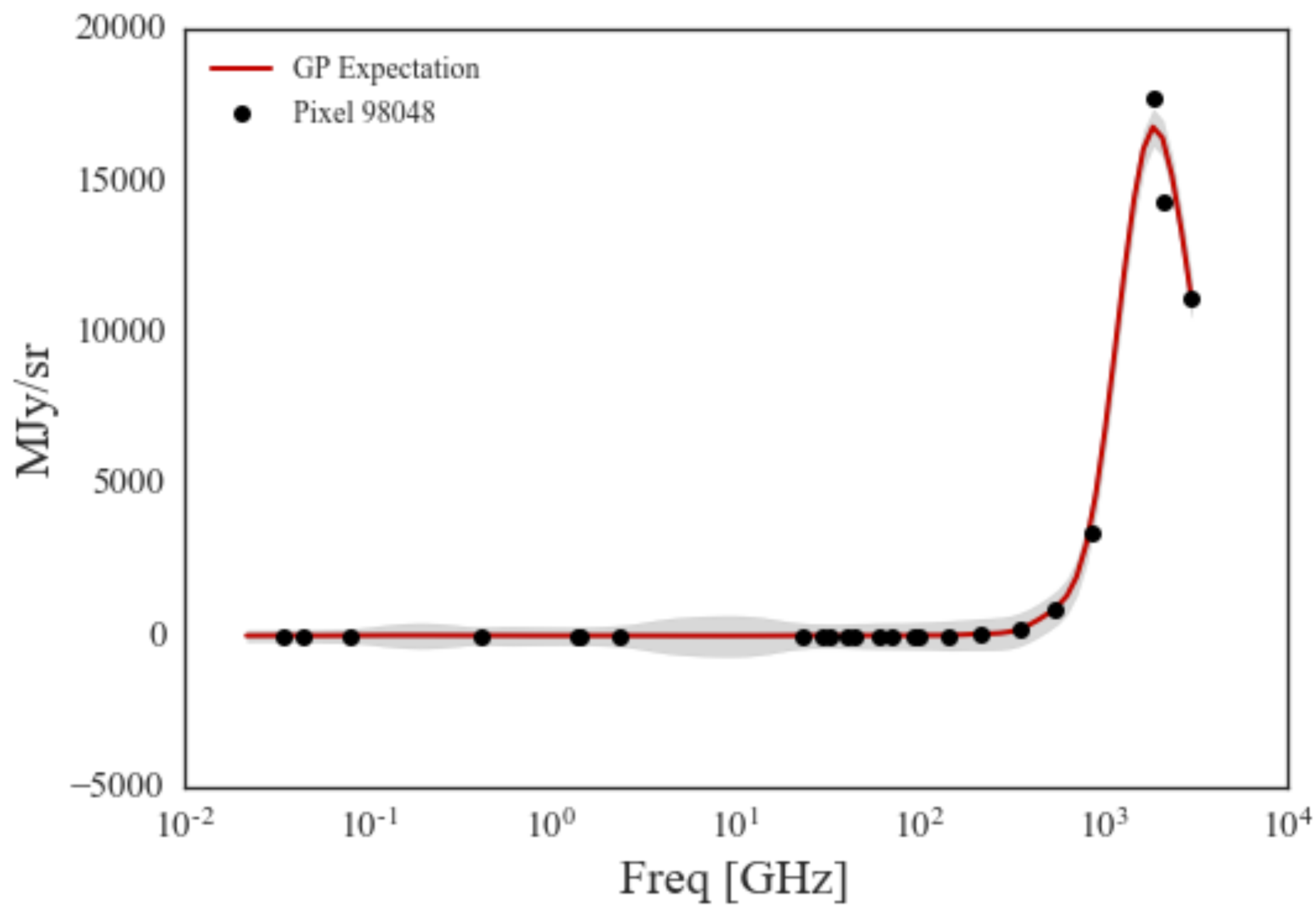


Errors on the 408 MHz prediction



Solution: construct models for the errors in the input data, and Monte Carlo to get final errors in our predictions

- Where available, use provided estimates of errors and covariances
- Errors in the model itself modelled empirically
- Interpolation errors accounted for using Gaussian Process regression.



Lots more coming soon to a Github repo near you!

- Position-dependent number of components.
- Error bars in output maps.
- Framework for incorporating monopole measurements.
- Inclusion of new map data.

Lots more coming soon to a Github repo near you!

- Position-dependent number of components.
- End goal: a publicly hosted,
self-updating, best-guess
model of the sky
-